

# Modeling and Solving Weighted Bipolar Argumentation Problems

Tutorial at the 42nd German Conference on Artificial Intelligence (KI 2019)

Nico Potyka

# Roadmap



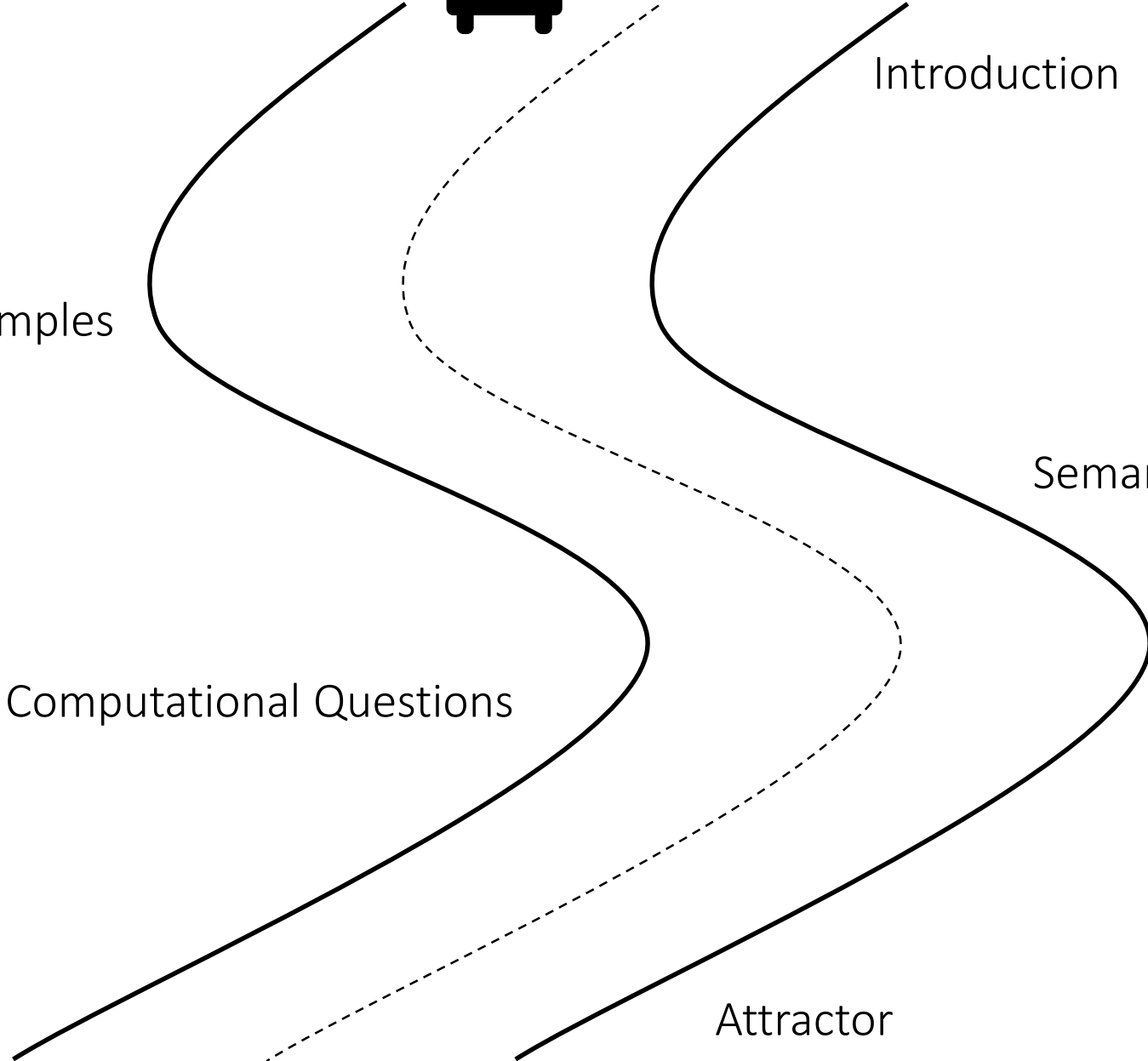
Application Examples

Introduction

Semantical Questions

Computational Questions

Attractor



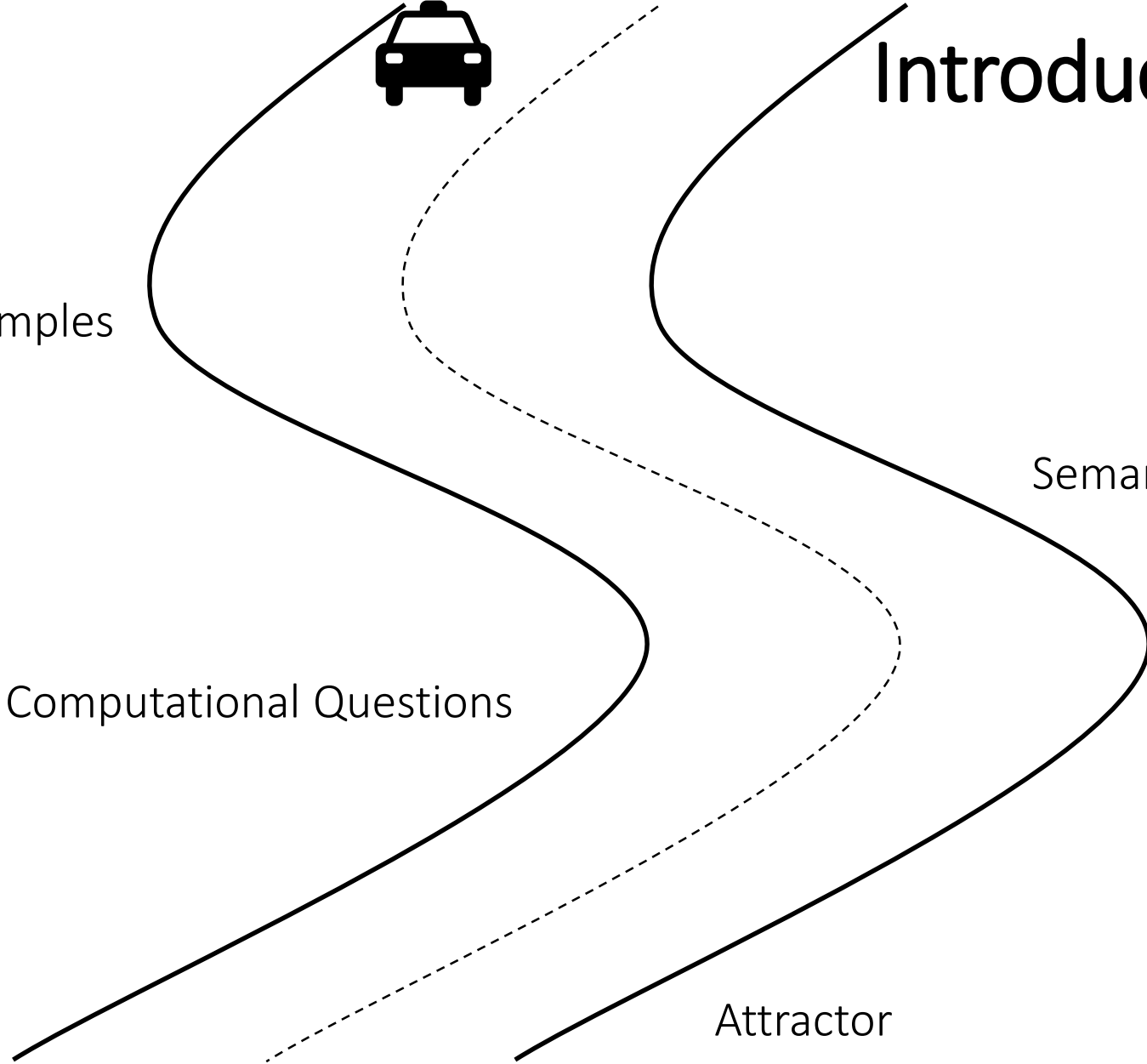
Application Examples

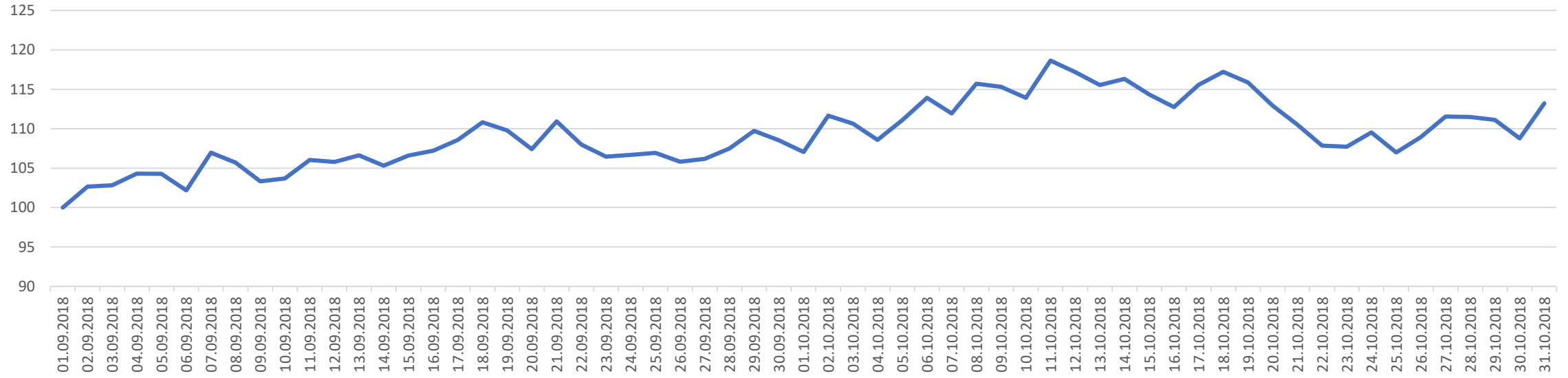
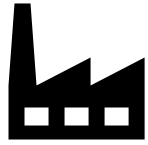
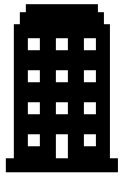
Computational Questions

**Introduction**

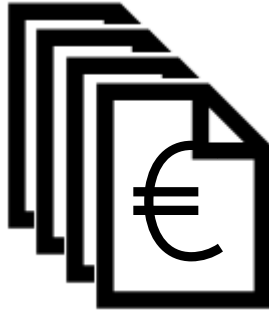
Semantical Questions

Attractor





Buy?



Sell?

Buy: 0.5

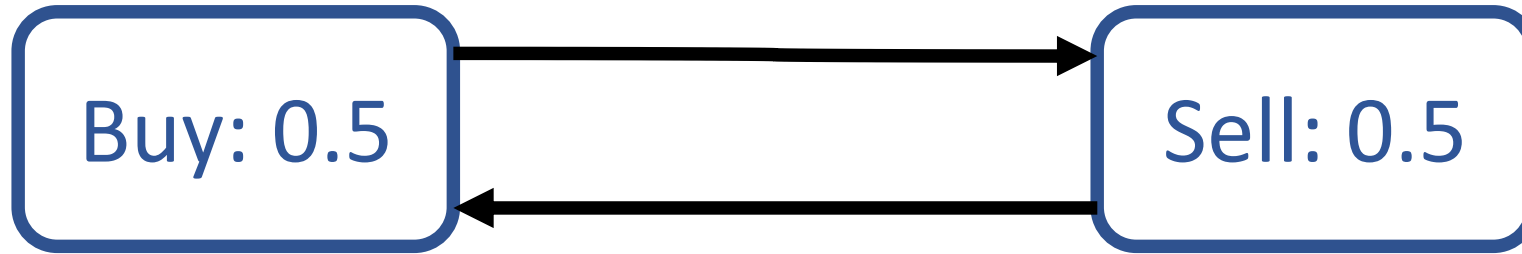
Sell: 0.5

Buy: 0.5

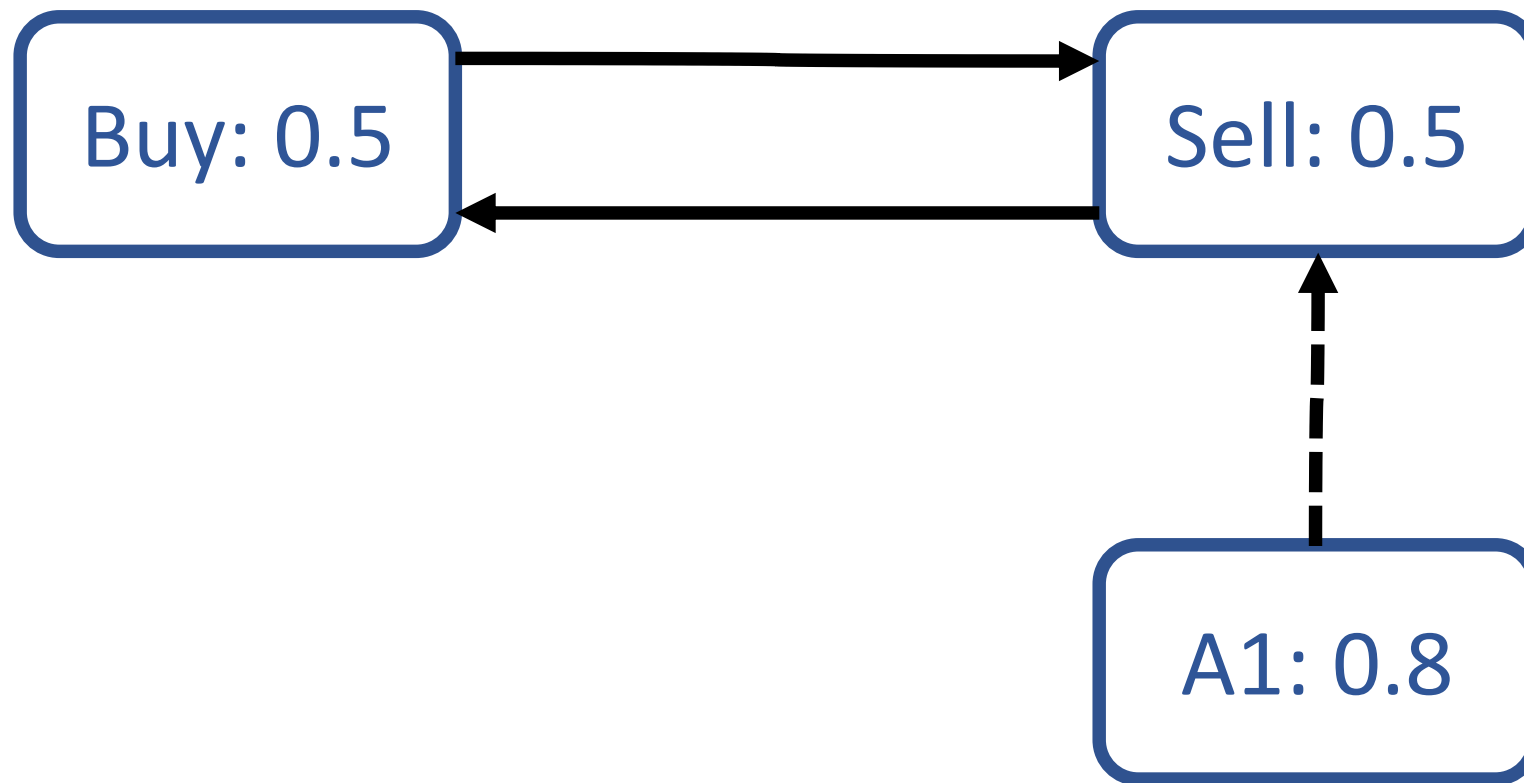


Sell: 0.5

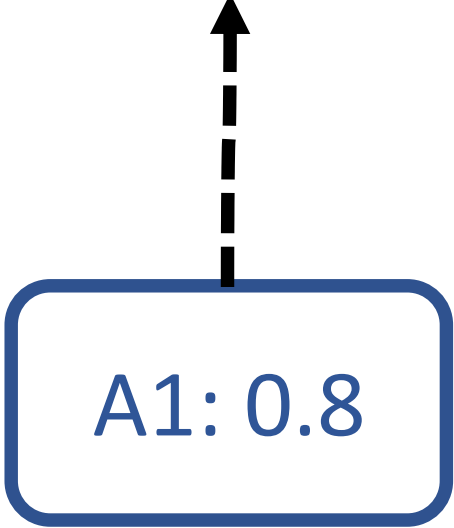
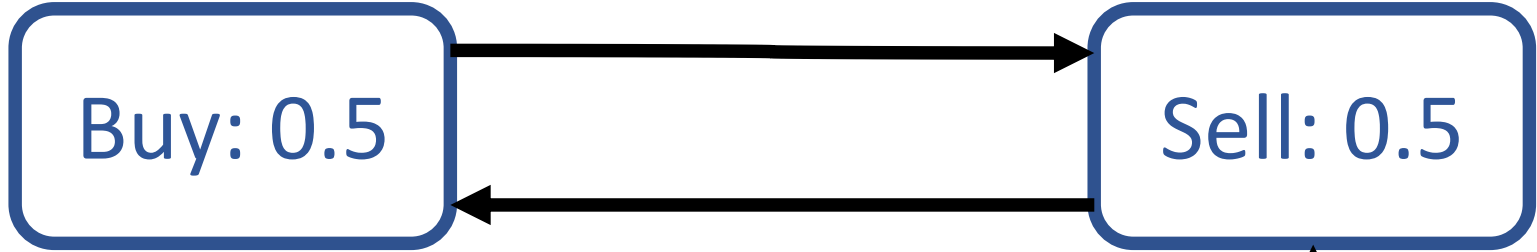




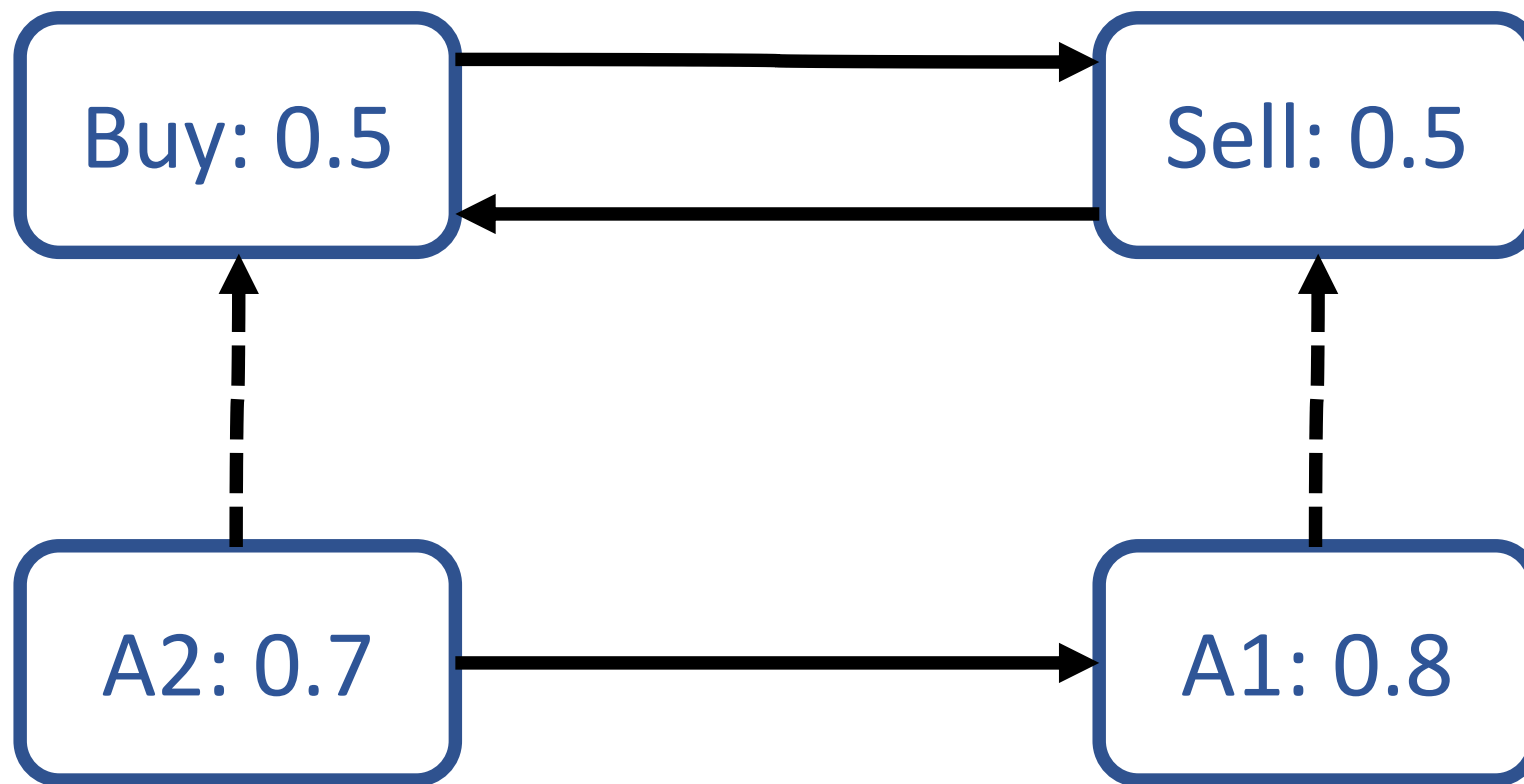
Development of new phone was too expensive.  
They will have to cut down R&D and will not stay  
competitive in future.

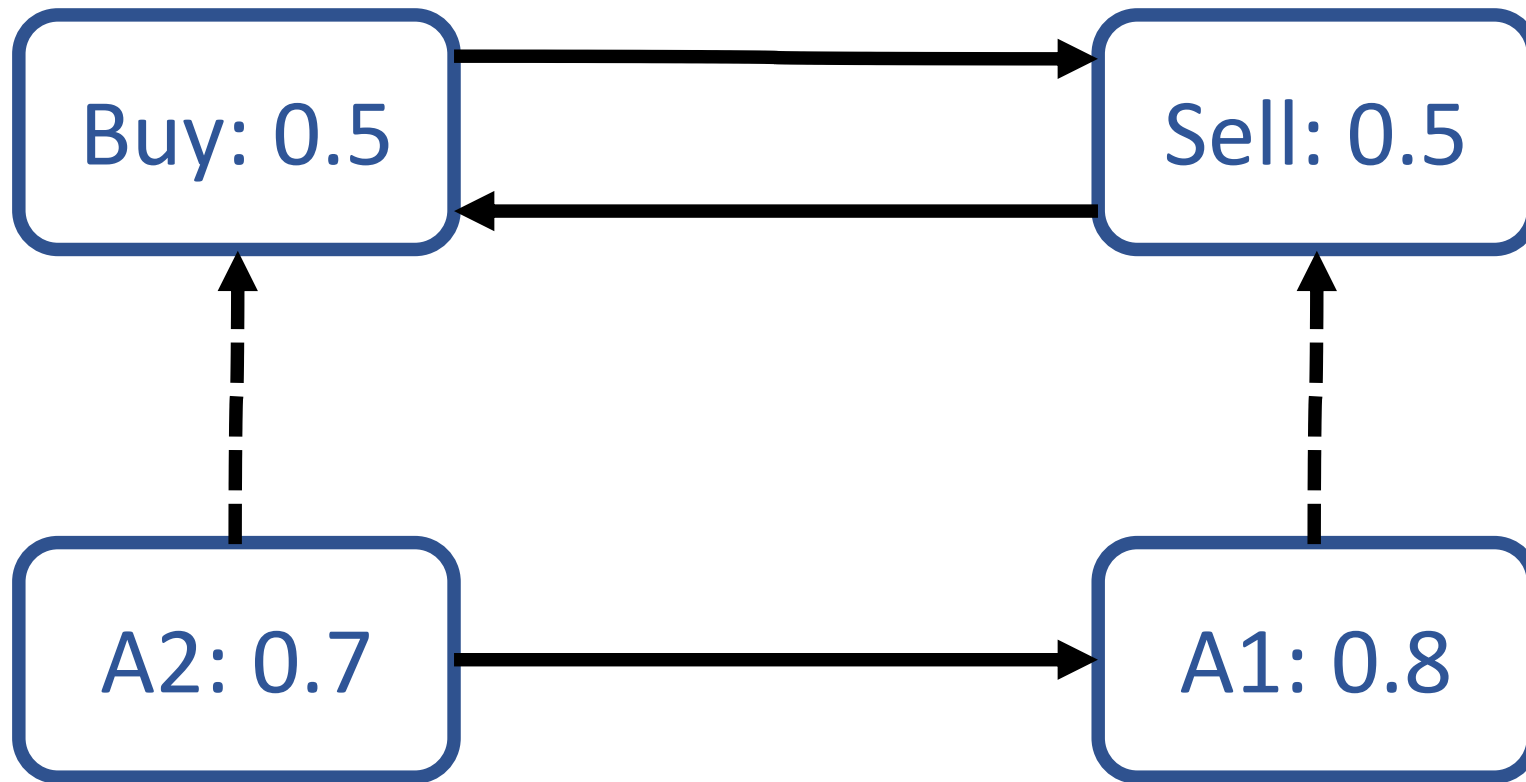




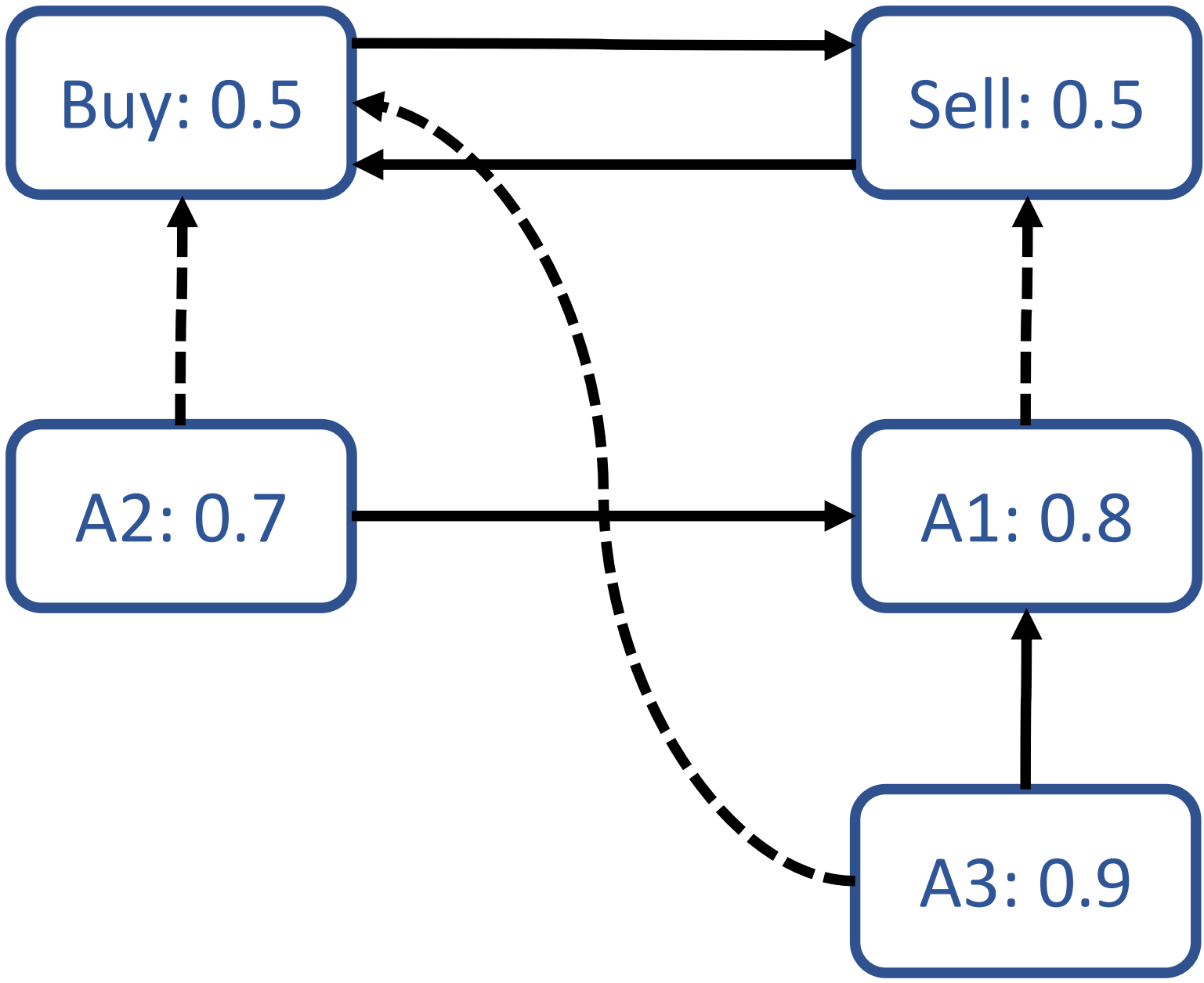


The new phone is innovative and will increase profits considerably.



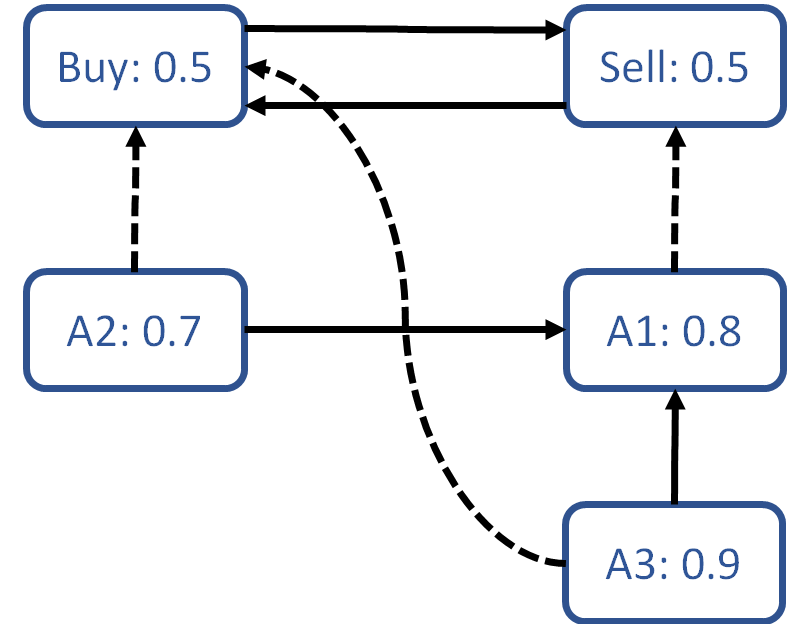


Investment in R&D is far beyond competitors' investment.  
Company is likely to become market leader.



## Weighted Bipolar Argumentation Graph (BAG)

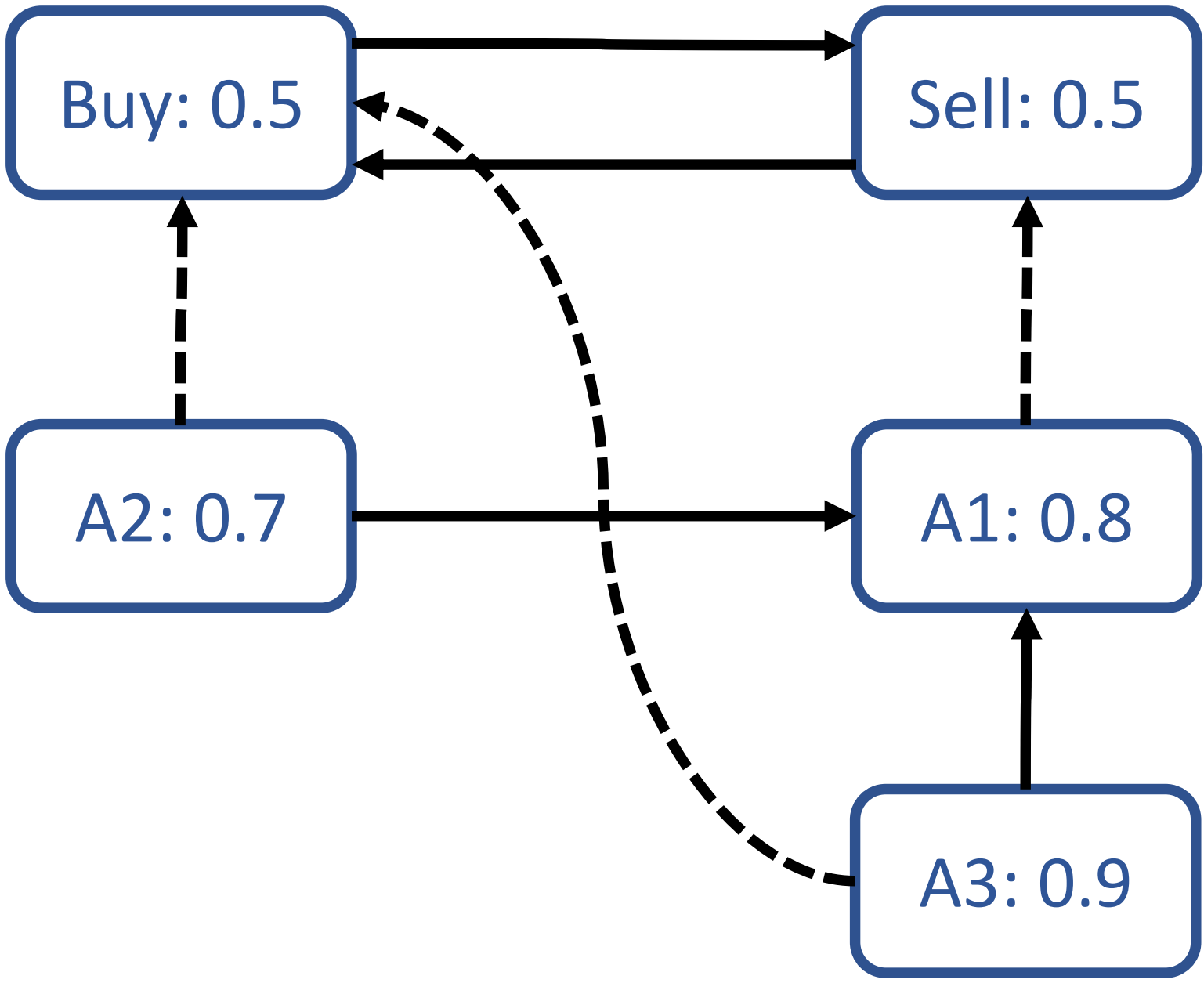
- Set of arguments
- Initial weights
- Attack and support relation

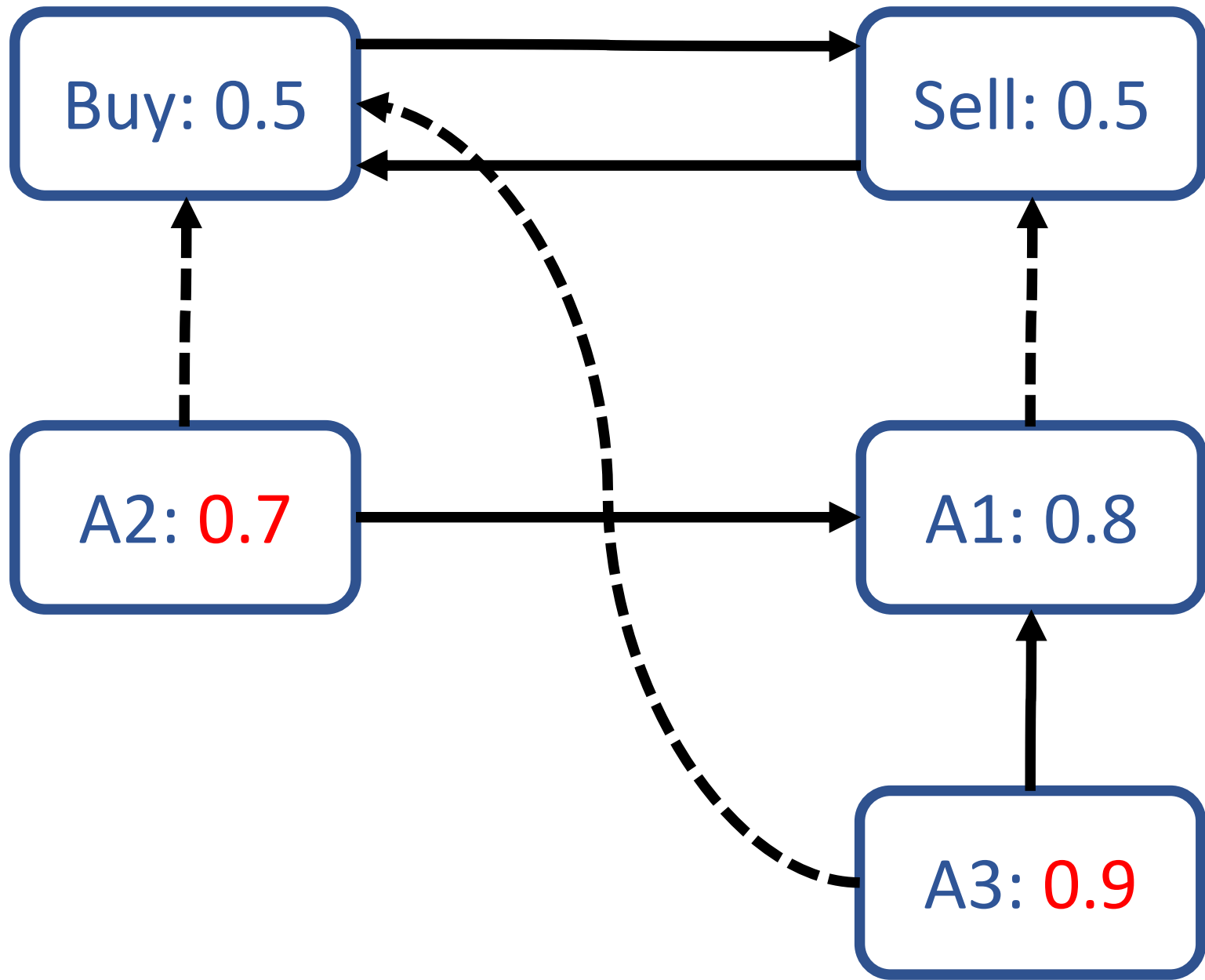


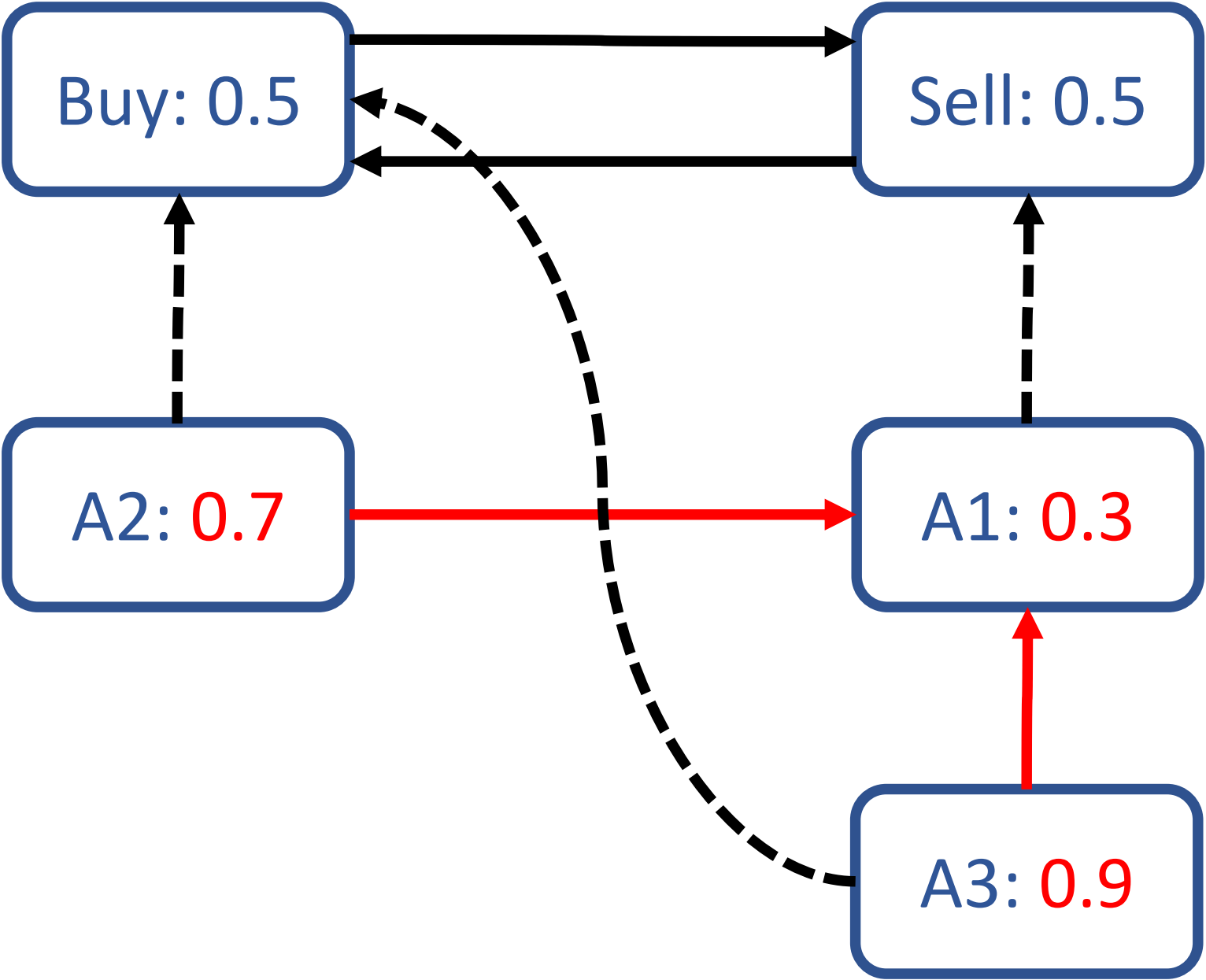
**Semantics:** define final strength of arguments based on

- Initial weights and
- Strength of parents

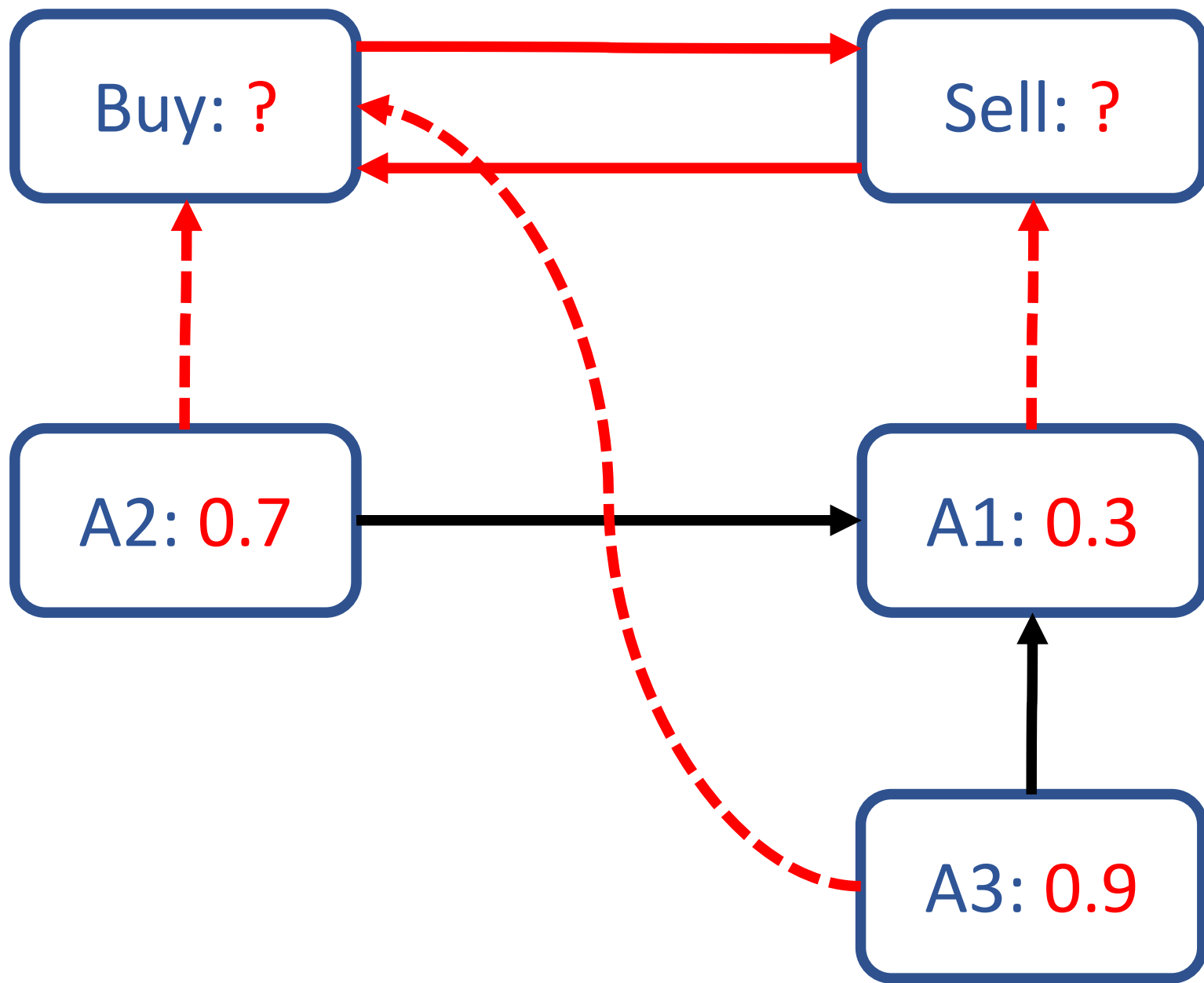
$$s(i) = f(w(i), \text{Parents}(i))$$







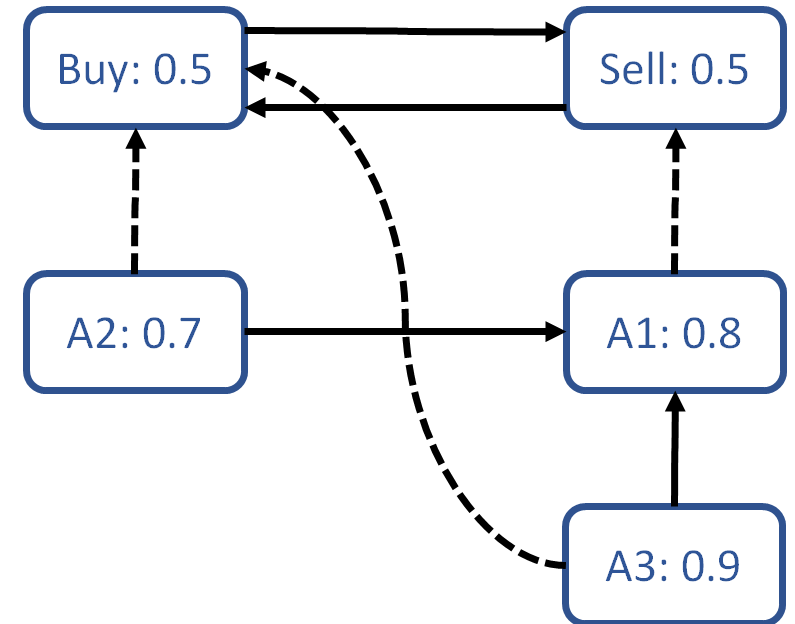




## Computing Strength Values in Acyclic BAGs

- Compute topological ordering
- Evaluate arguments in order

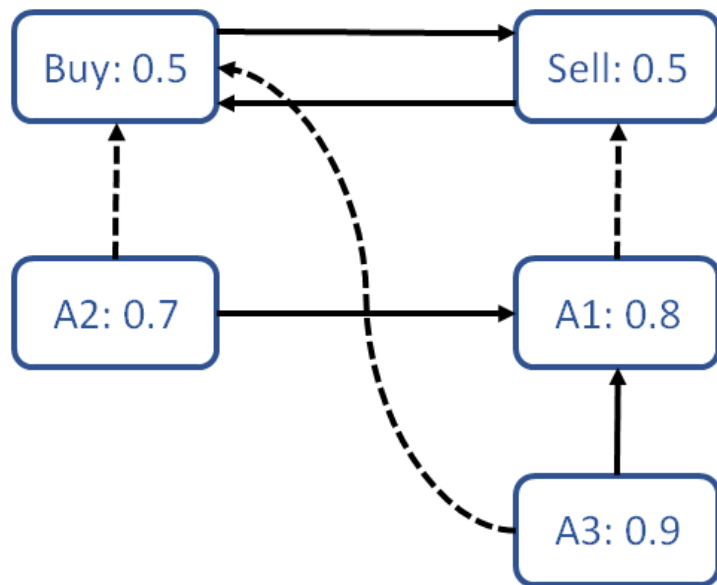
$$s(i) = f(w(i), \text{Parents}(i))$$



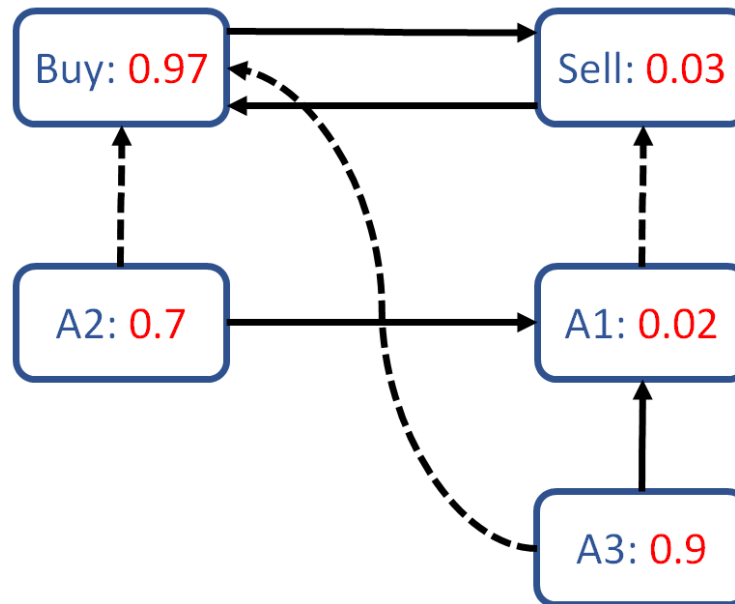
## Computing Strength Values in Cyclic BAGs

- Set initial strength values to initial weights
- Update by applying update formula to all arguments simultaneously
- Repeat until process converges

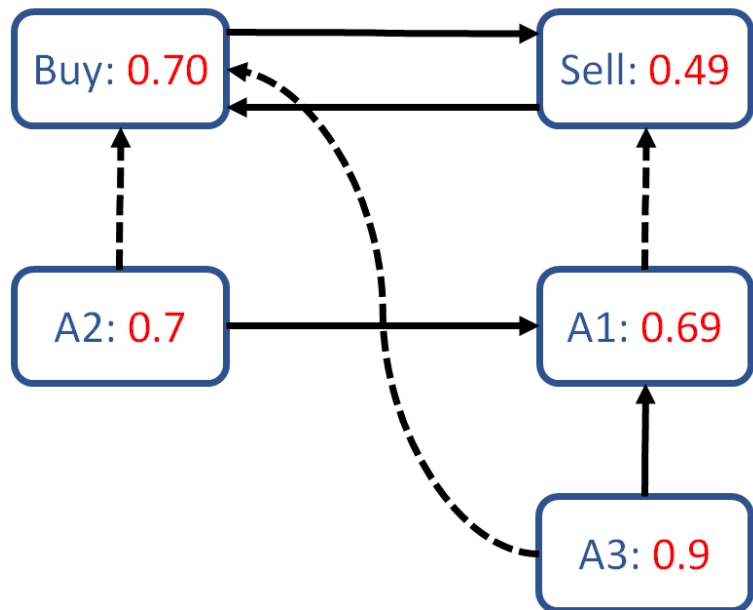
# Initial Weights



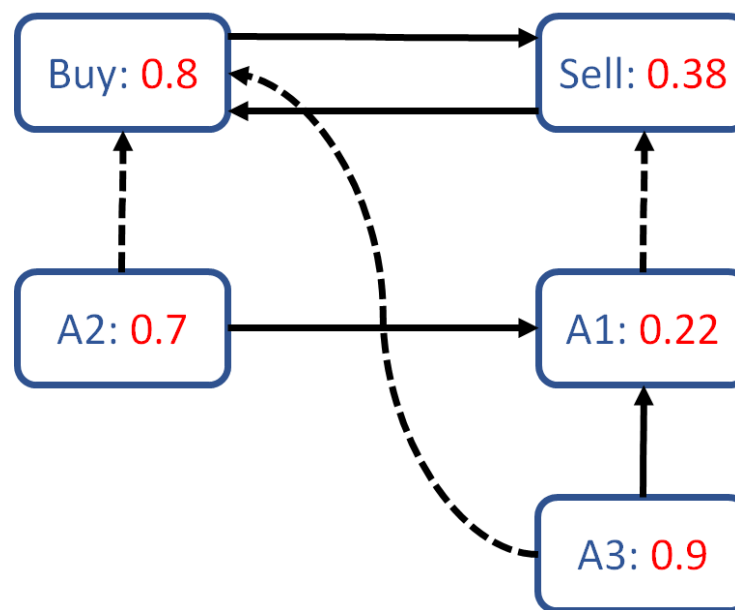
# DF-QuAD



# Euler-based



# Quadratic Energy






## Semantical Questions

- What properties should final strength values satisfy?
- How can we satisfy these properties?

## Computational Questions

- Does update process converge in cyclic BAGs?
- What is the computational performance/ complexity?

## Applications

- Social Media Analysis
  - Decision Support
  - Explainable AI
- 

# Application Examples

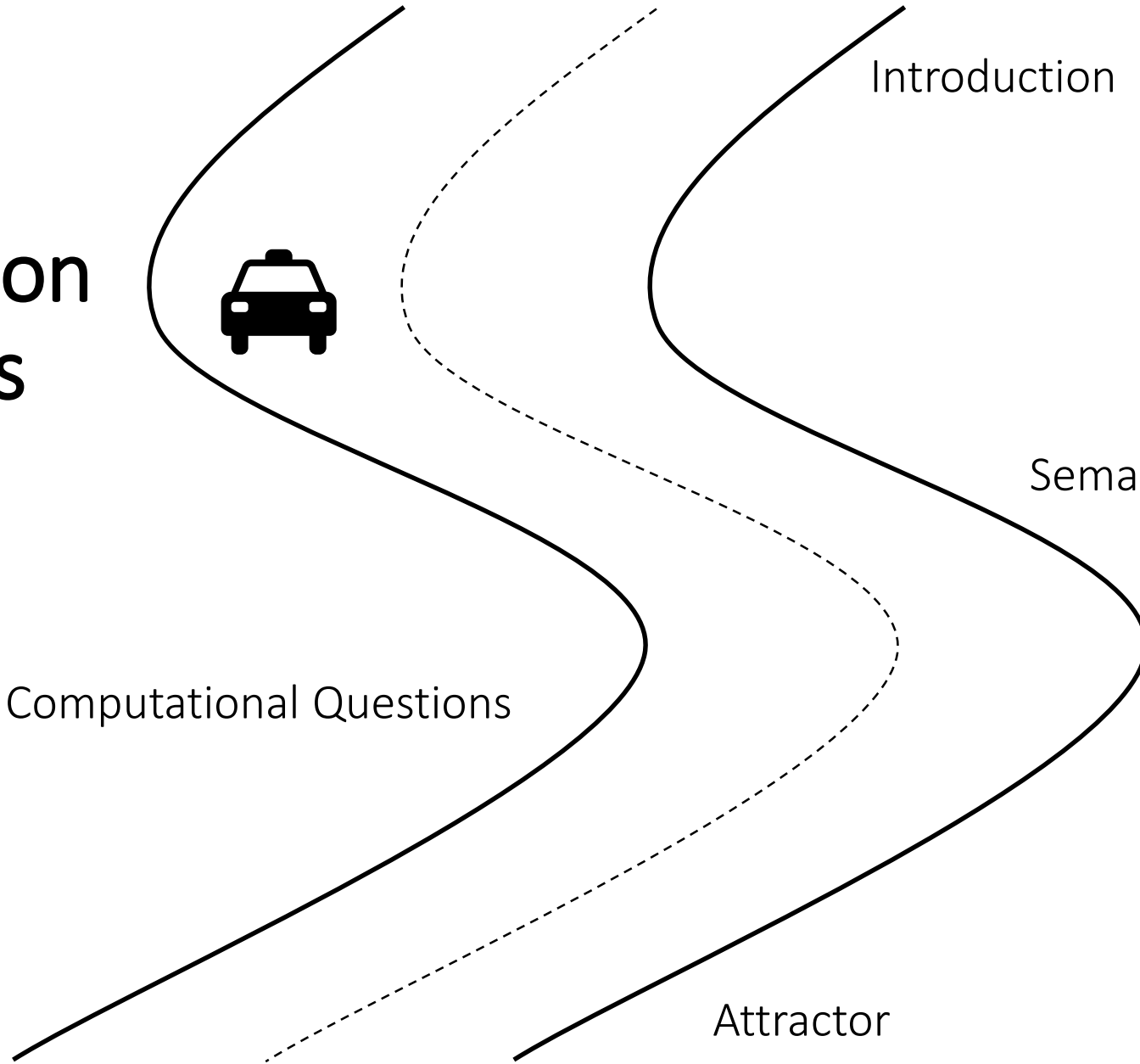


Introduction

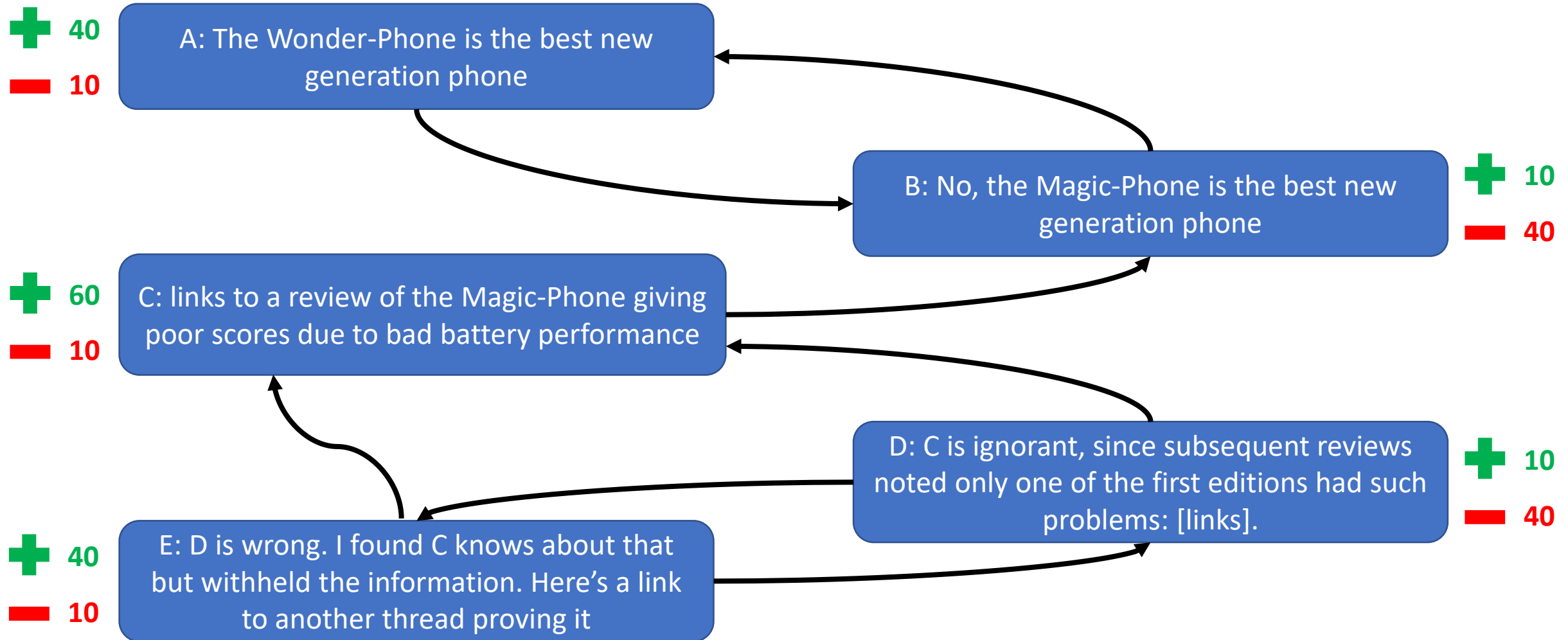
Semantical Questions

Computational Questions

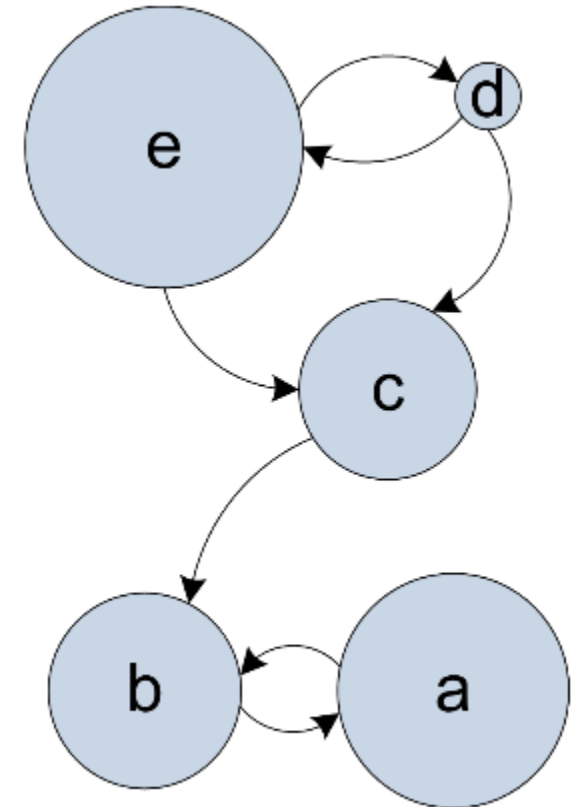
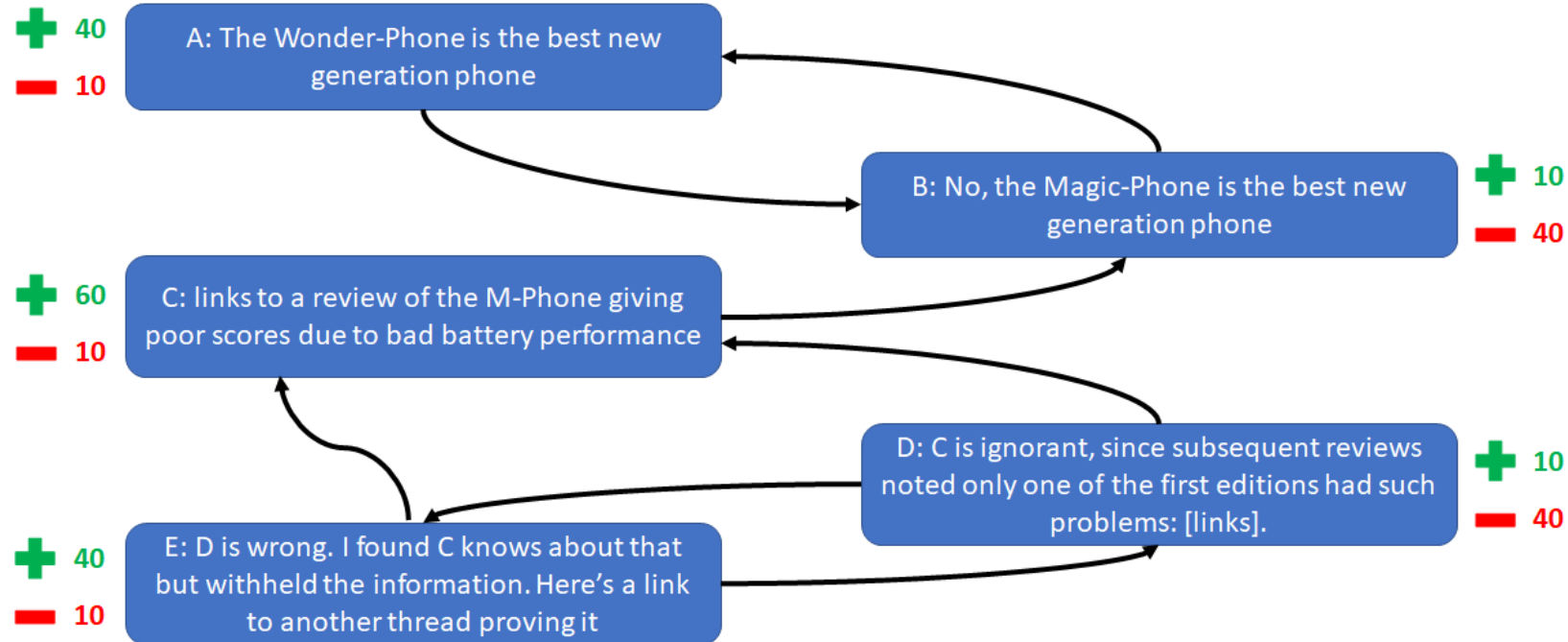
Attractor



# Social Media Analysis (Leite & Martins 2011)



# Social Media Analysis (Leite & Martins 2011)

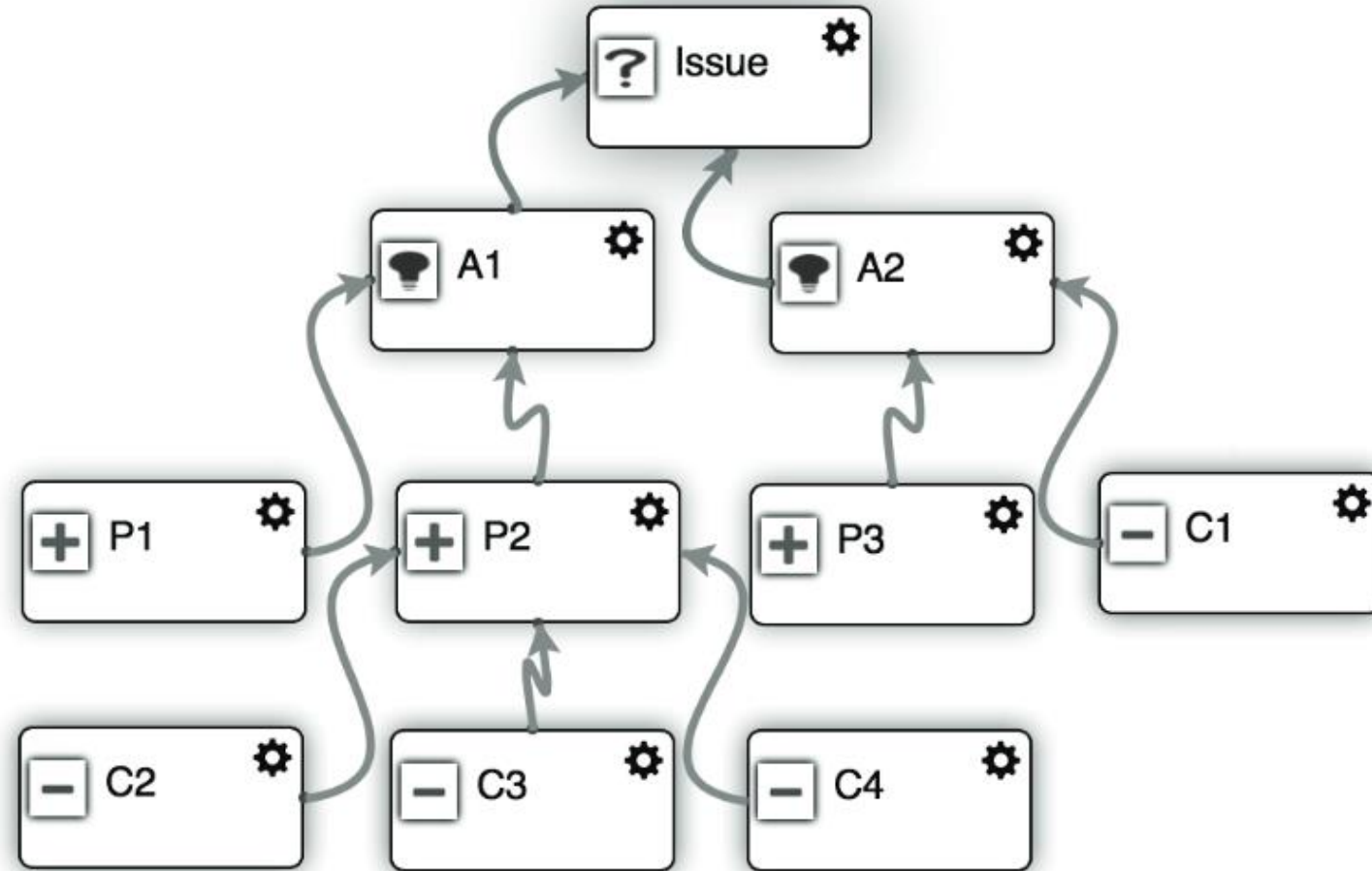


# Decision Support (Rago et al. 2016)

Issue

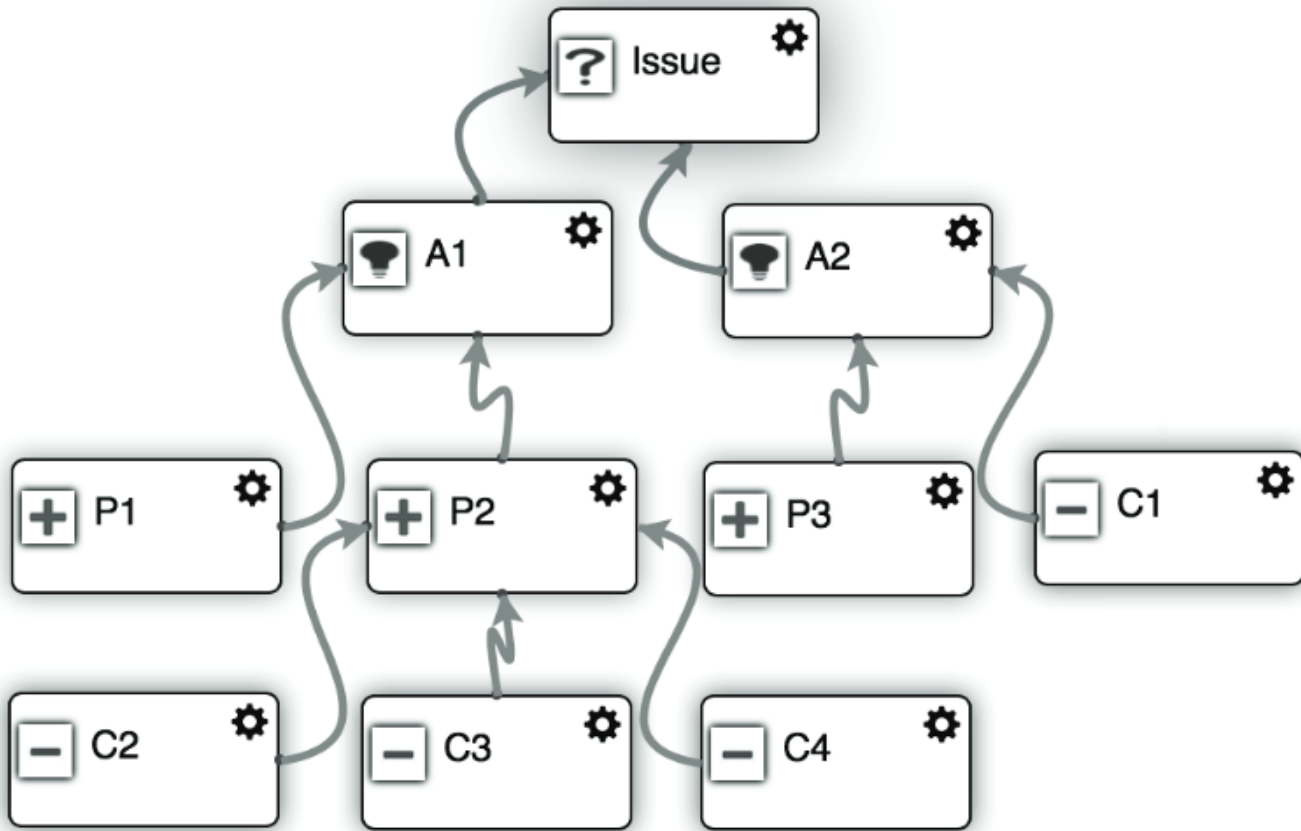
Alternatives

Pro and Con Arguments





# Decision Support (Rago et al. 2016)



Issue: How to spend council's budget?

A1: Build a new cycle path.

A2: Repair current infrastructure.

P1: Cyclists complain of dangerous roads.

P2: A path would enhance the council's green image.

P3: Potholes have caused several accidents recently.

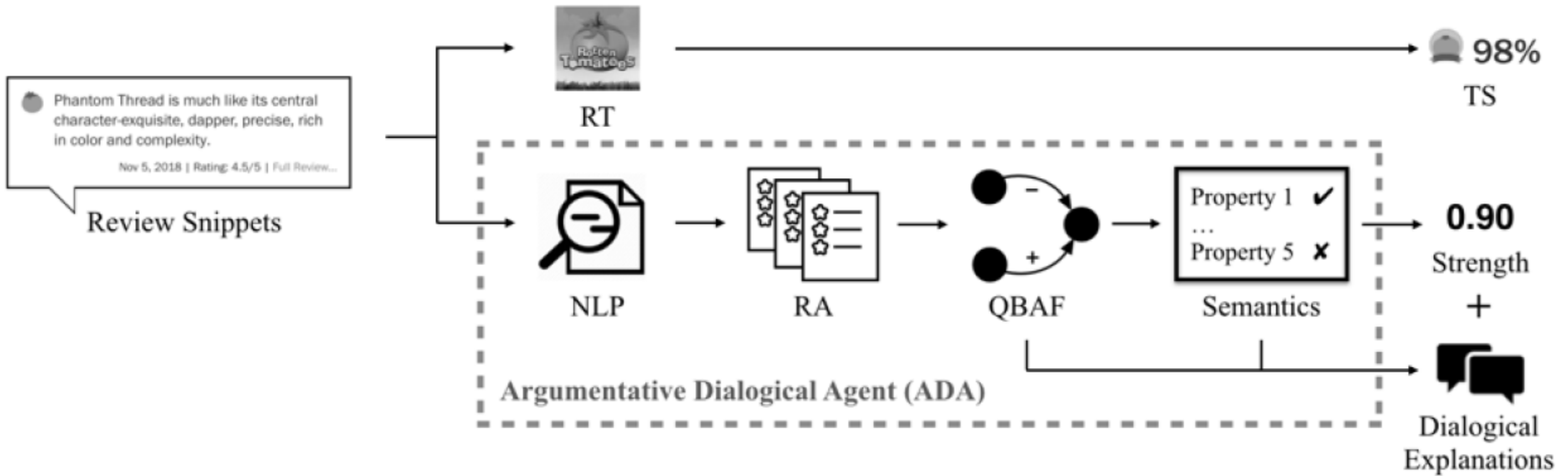
C1: Significant disruptions to traffic would occur.

C2: Environmentalists are a fraction of the population.

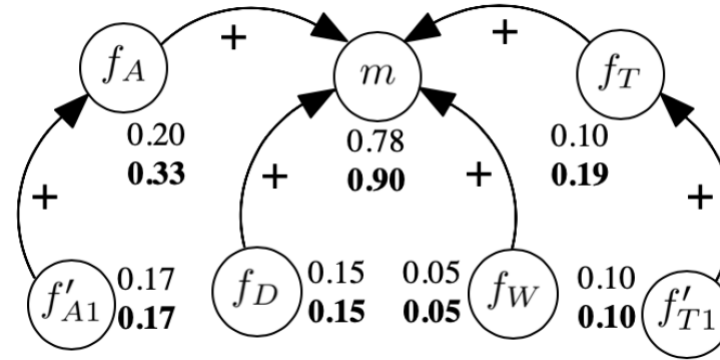
C3: Recent policies already enhance this green image.

C4: Donors do not see the environment as a priority.

# Explainable Review Aggregation (Cocarascu et al. 2019)



# Explainable Review Aggregation (Cocarascu et al. 2019)



**user:** *Why was Phantom Thread highly rated?*

**ADA:** *This movie was highly rated because the acting was great.*

**user:** *Why was the acting considered to be great?*

**ADA:** *The acting was considered to be great because Daniel Day-Lewis was great.*

**user:** *What did critics say about Daniel Day-Lewis being great?*

**ADA:** *"...Daniel Day-Lewis remains our greatest actor..."*

Application Examples

Introduction

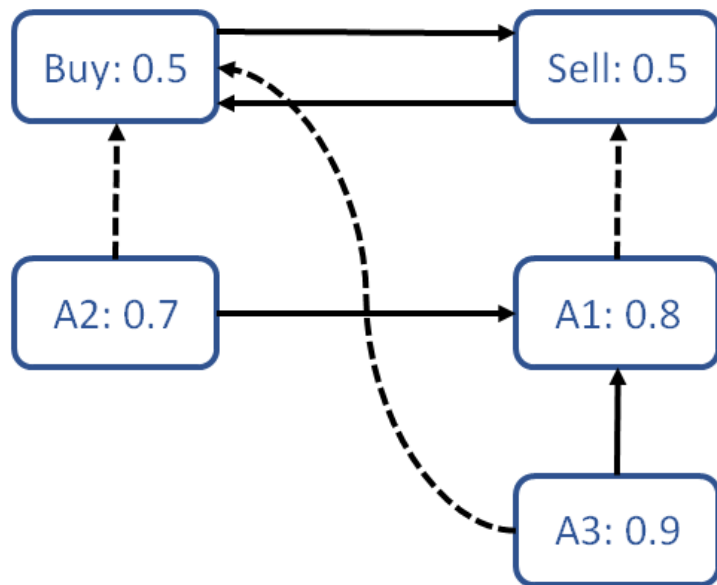
**Semantical  
Questions**

Computational Questions

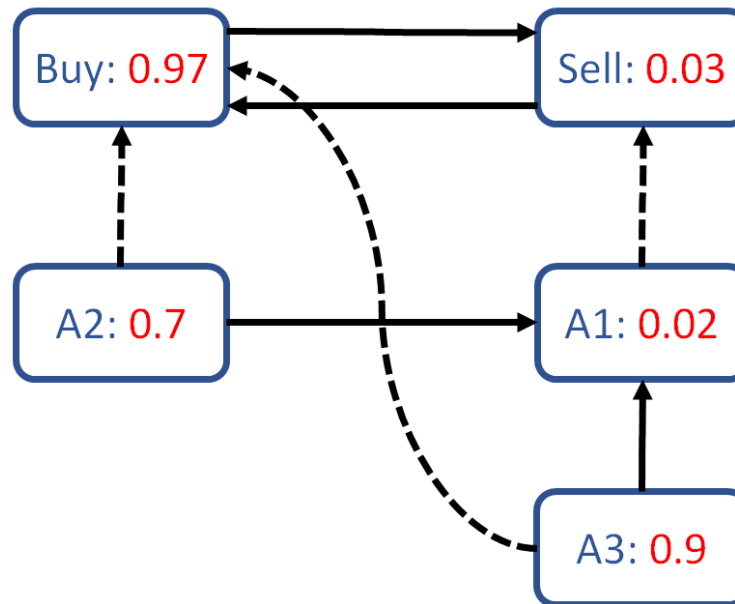
Attractor



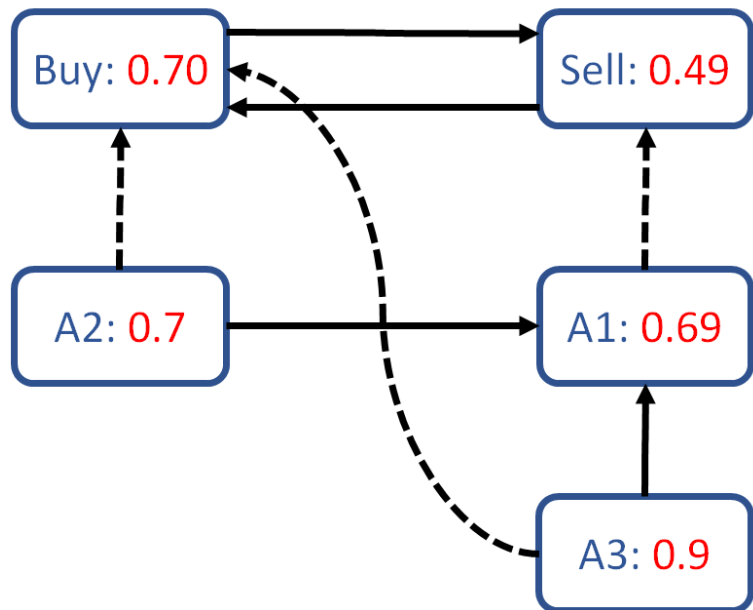
# Initial Weights



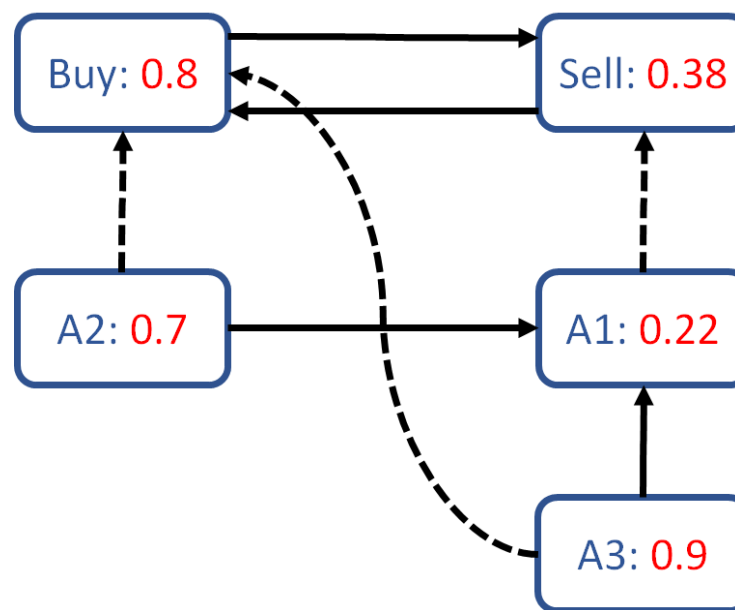
# DF-QuAD



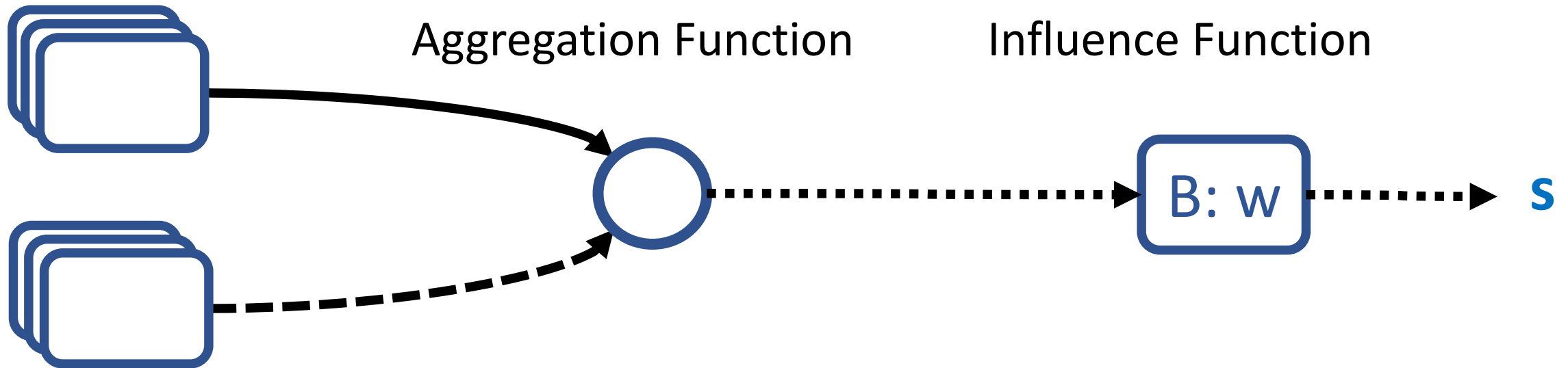
# Euler-based



# Quadratic Energy

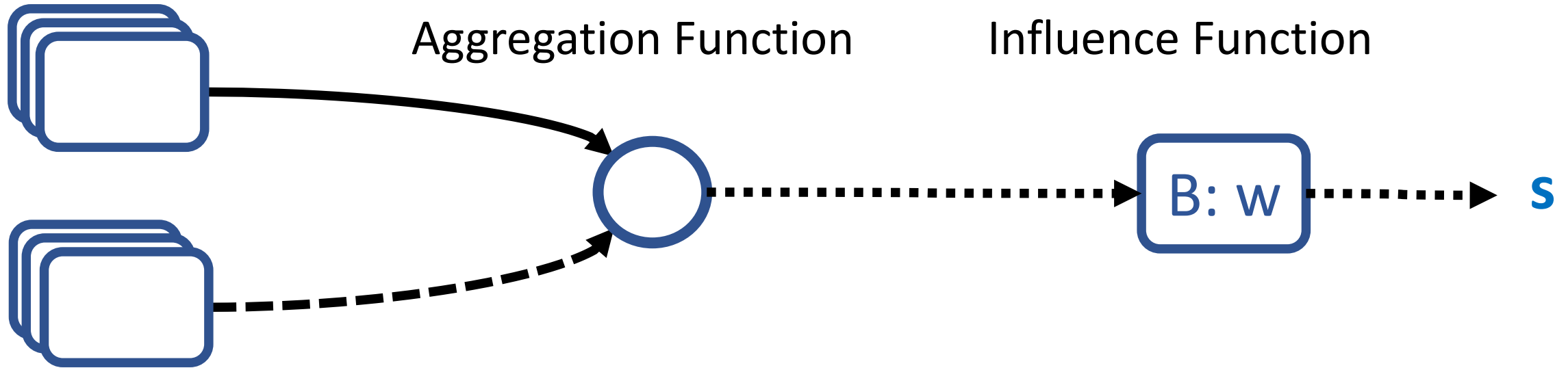


# Modular Semantics (*Mossakowski, Neuhaus 2018*)



- Similar ideas have been considered before
  - Local Gradual Valuations (Amgoud et al. 2008)
  - Semantic Frameworks (Leite, Martins 2011)

# DF-QuAD (Rago et al. 2016)



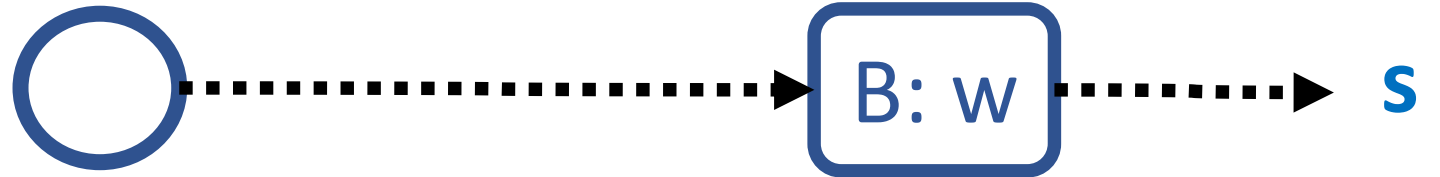
- *Aggregation*:  $a = \prod_{i \in Att(B)} (1 - s_i) - \prod_{i \in Sup(B)} (1 - s_i)$

- *Influence*:  $s = \begin{cases} w + w \times a & \text{if } a < 0 \\ w + (1 - w) \times a & \text{else} \end{cases}$

# Some Special Cases: No Parents

Aggregation Function

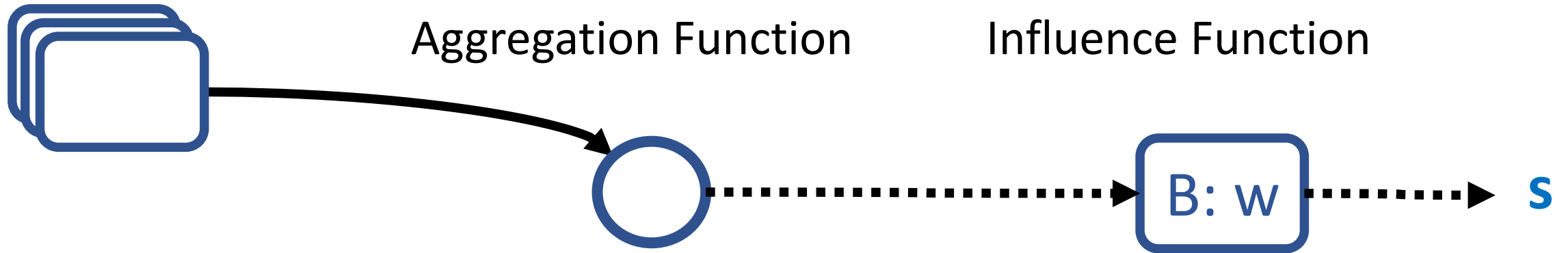
Influence Function



- *Aggregation:*  $a = 1 - 1 = 0$
- *Influence:*  $s = w$

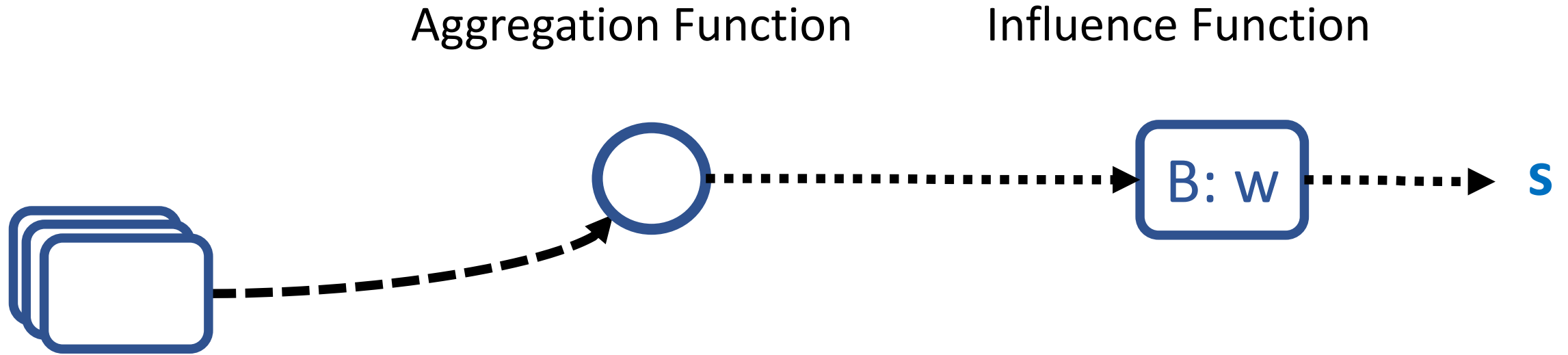


# Some Special Cases: No Supporters

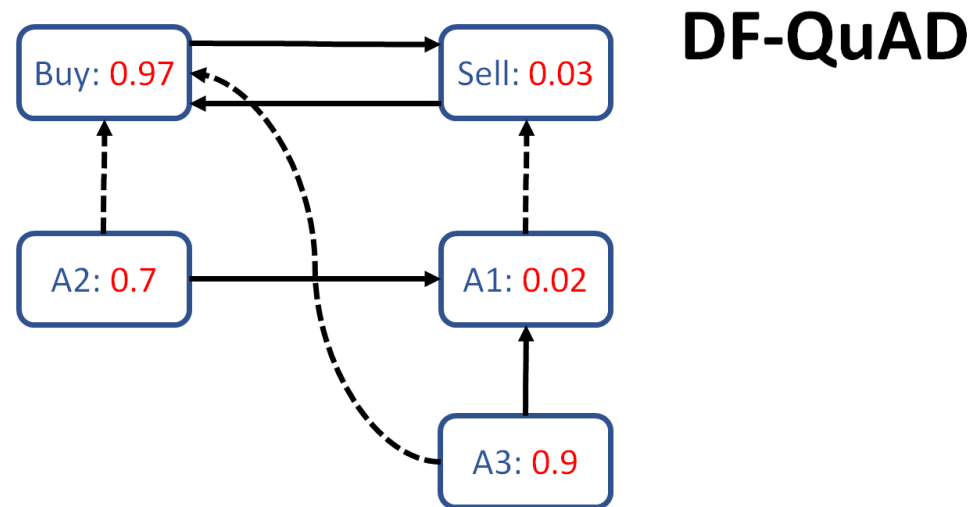
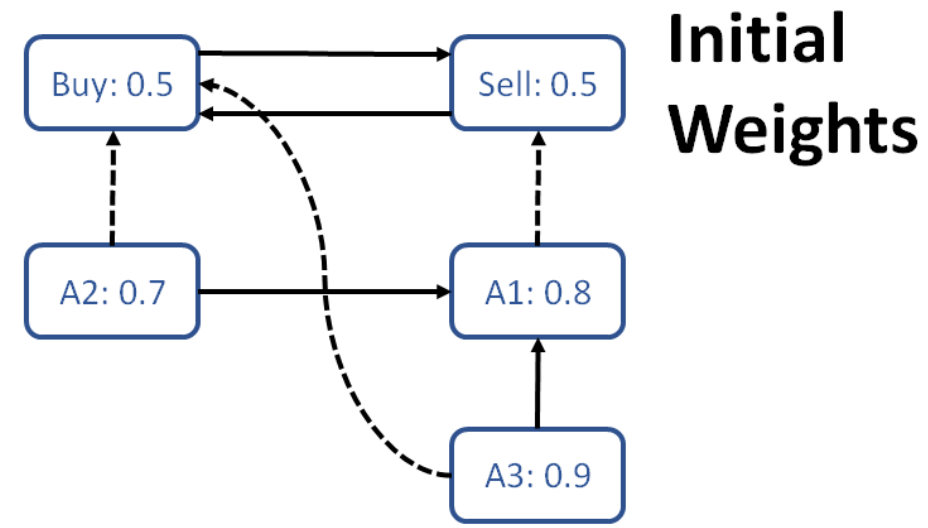
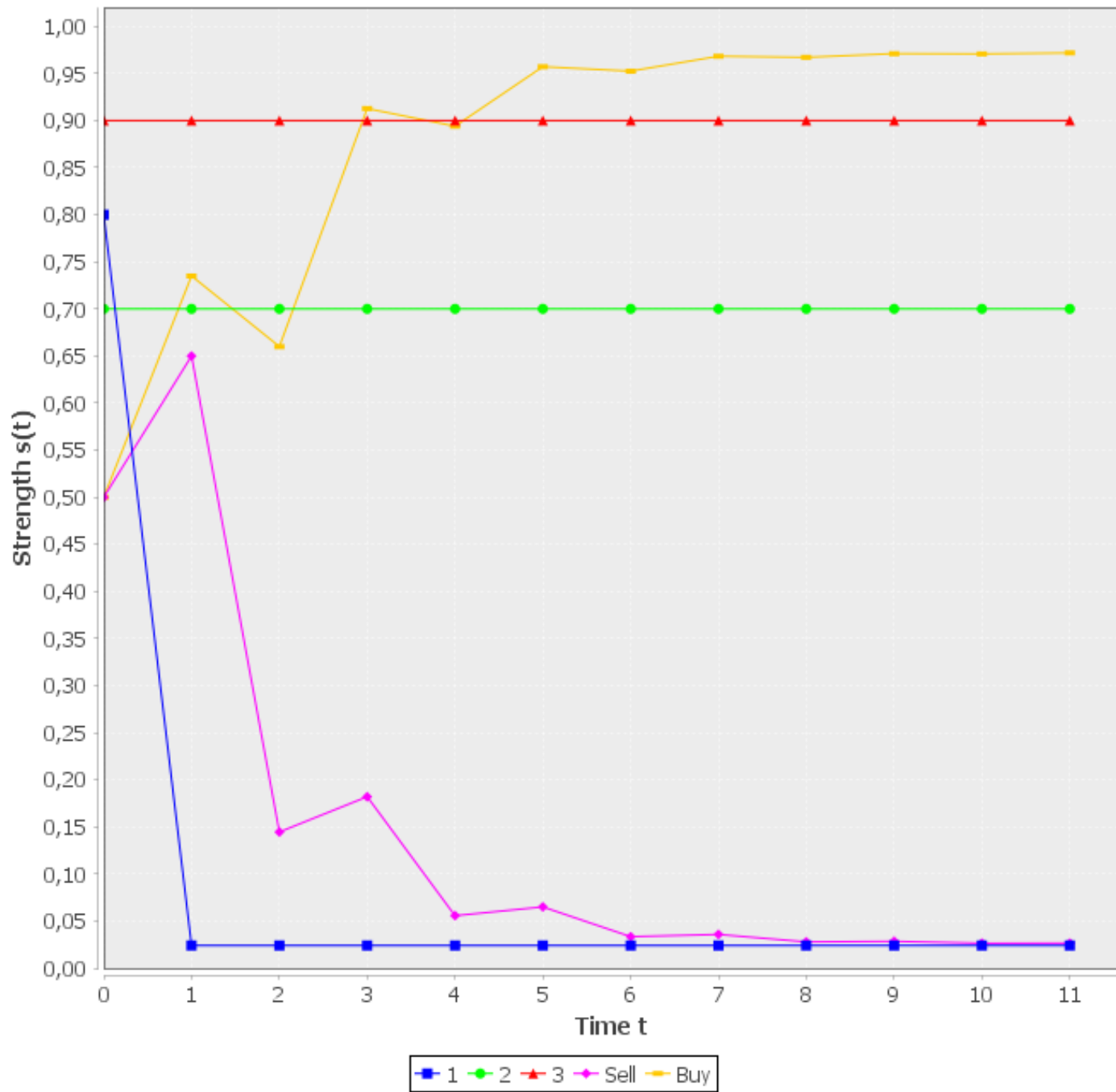


- *Aggregation:*  $a = \prod_{i \in Att(B)} (1 - s_i) - 1 \leq 0$
- *Influence:*  $s = w + w \times a \leq w$

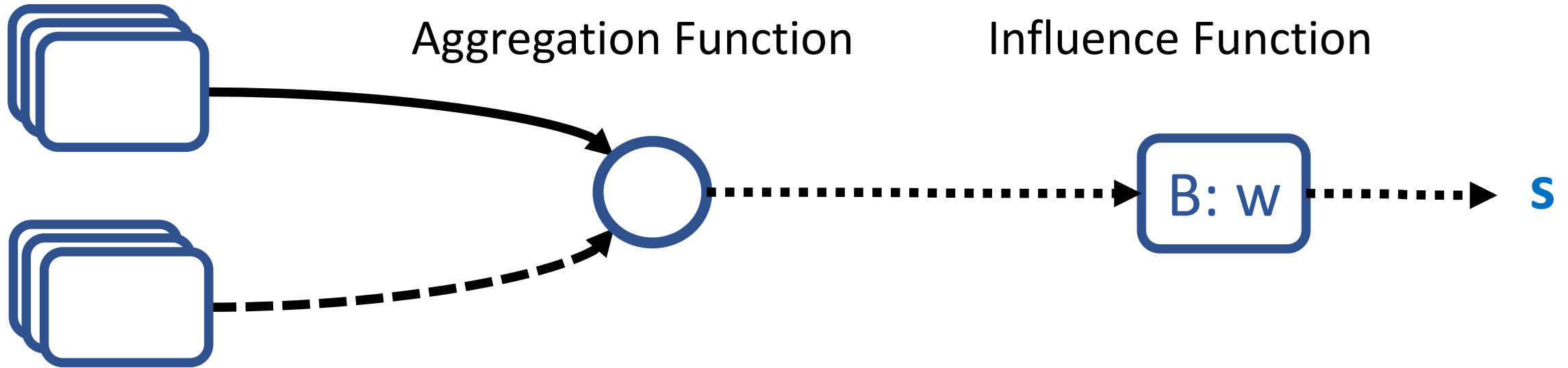
# Some Special Cases: No Attackers



- *Aggregation:*  $a = 1 - \prod_{i \in \text{sup}(B)} (1 - s_i) \geq 0$
- *Influence:*  $s = w + (1 - w) \times a \geq w$

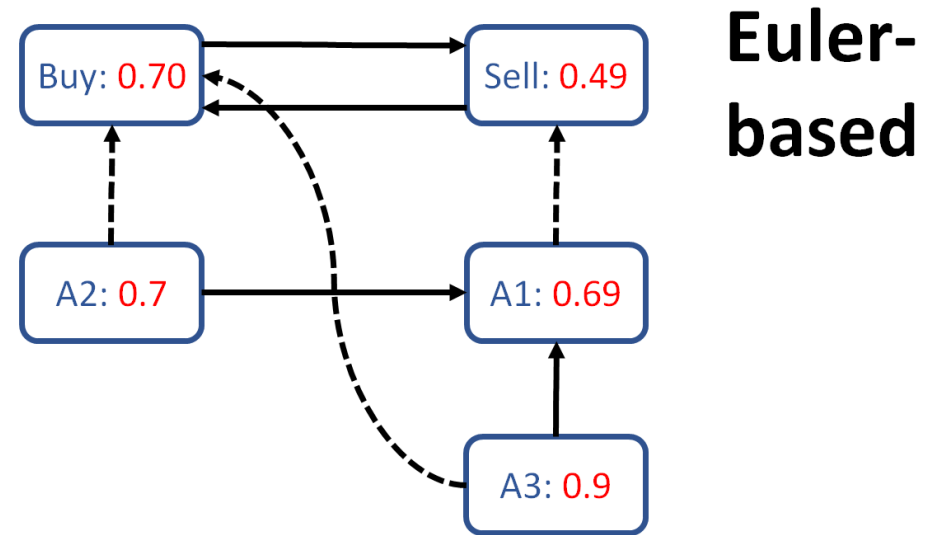
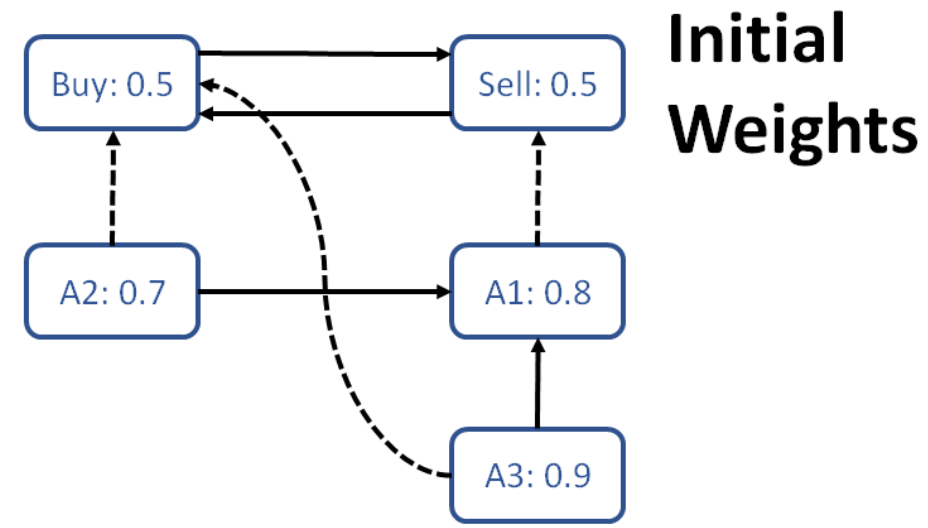
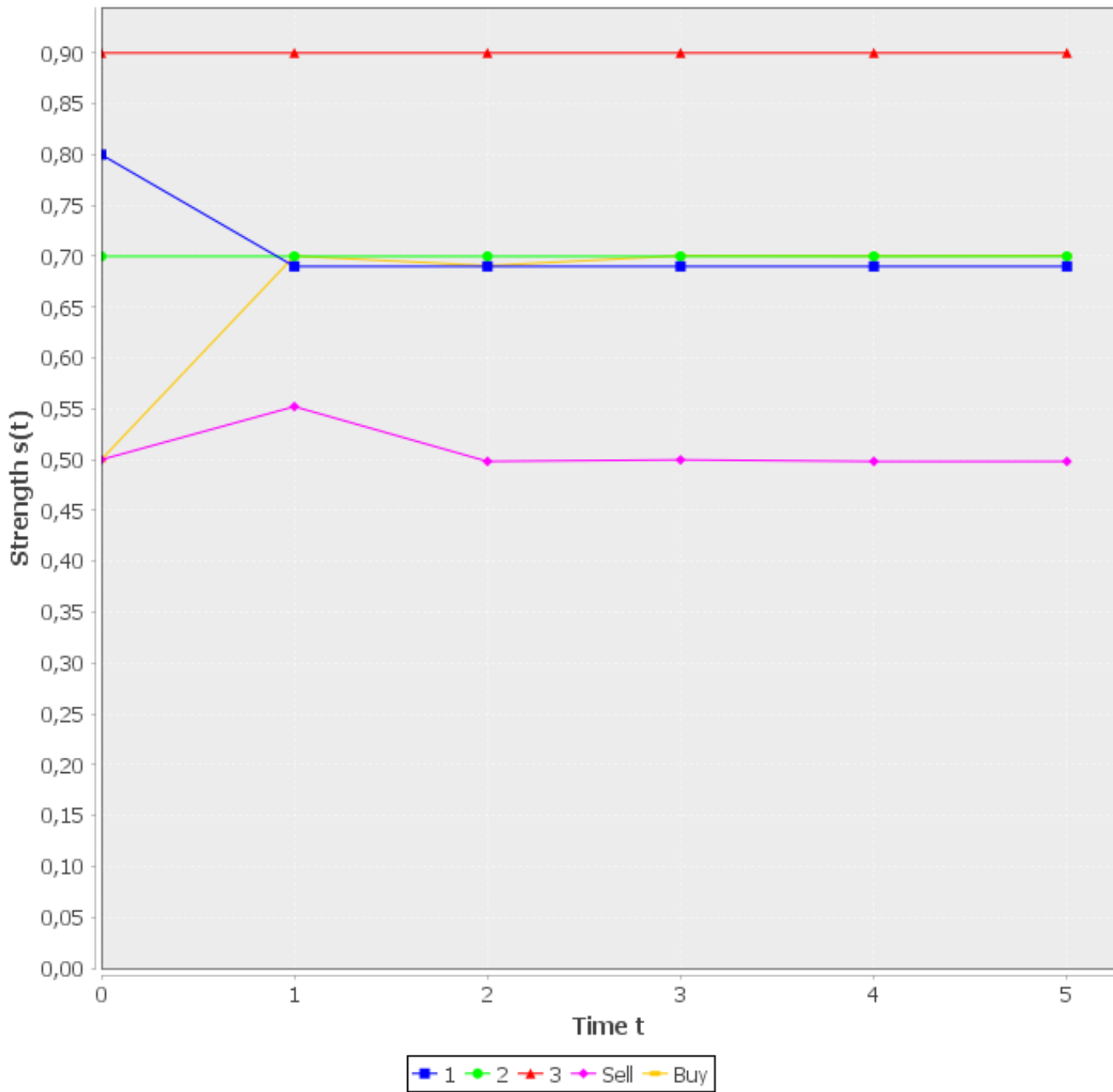


# Euler-based Semantics (Amgoud, Ben-Naim 2017)

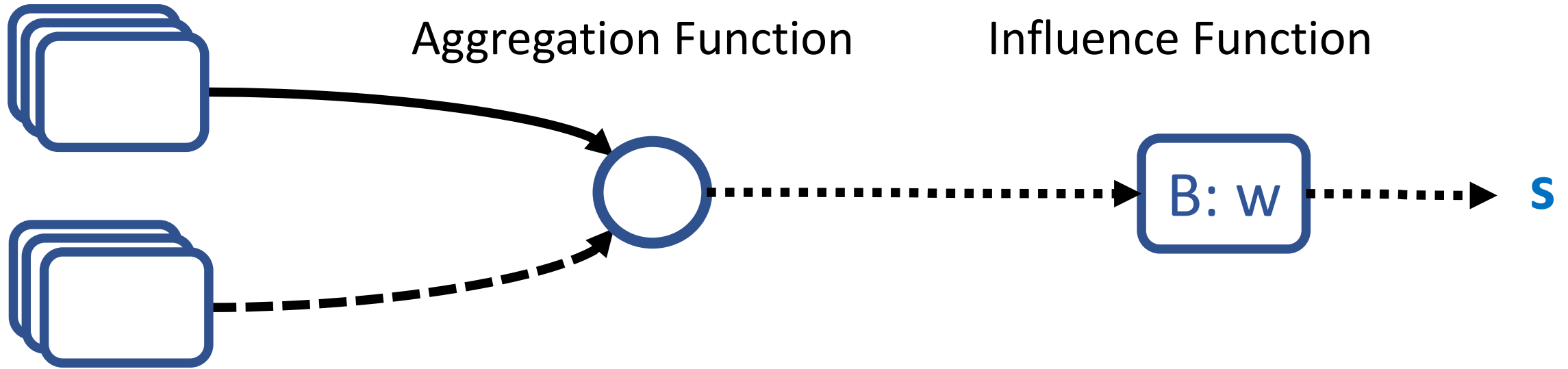


- *Aggregation*:  $a = \sum_{i \in Sup(B)} s_i - \sum_{i \in Att(B)} s_i$

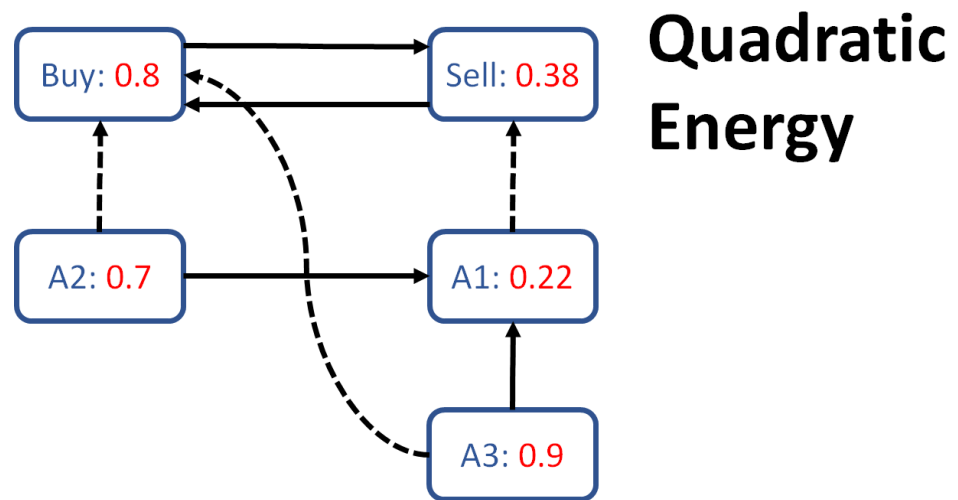
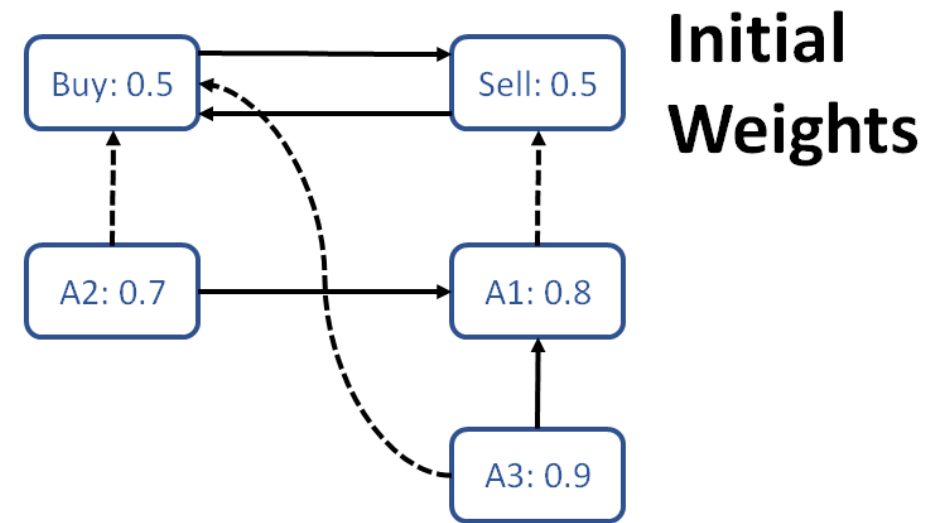
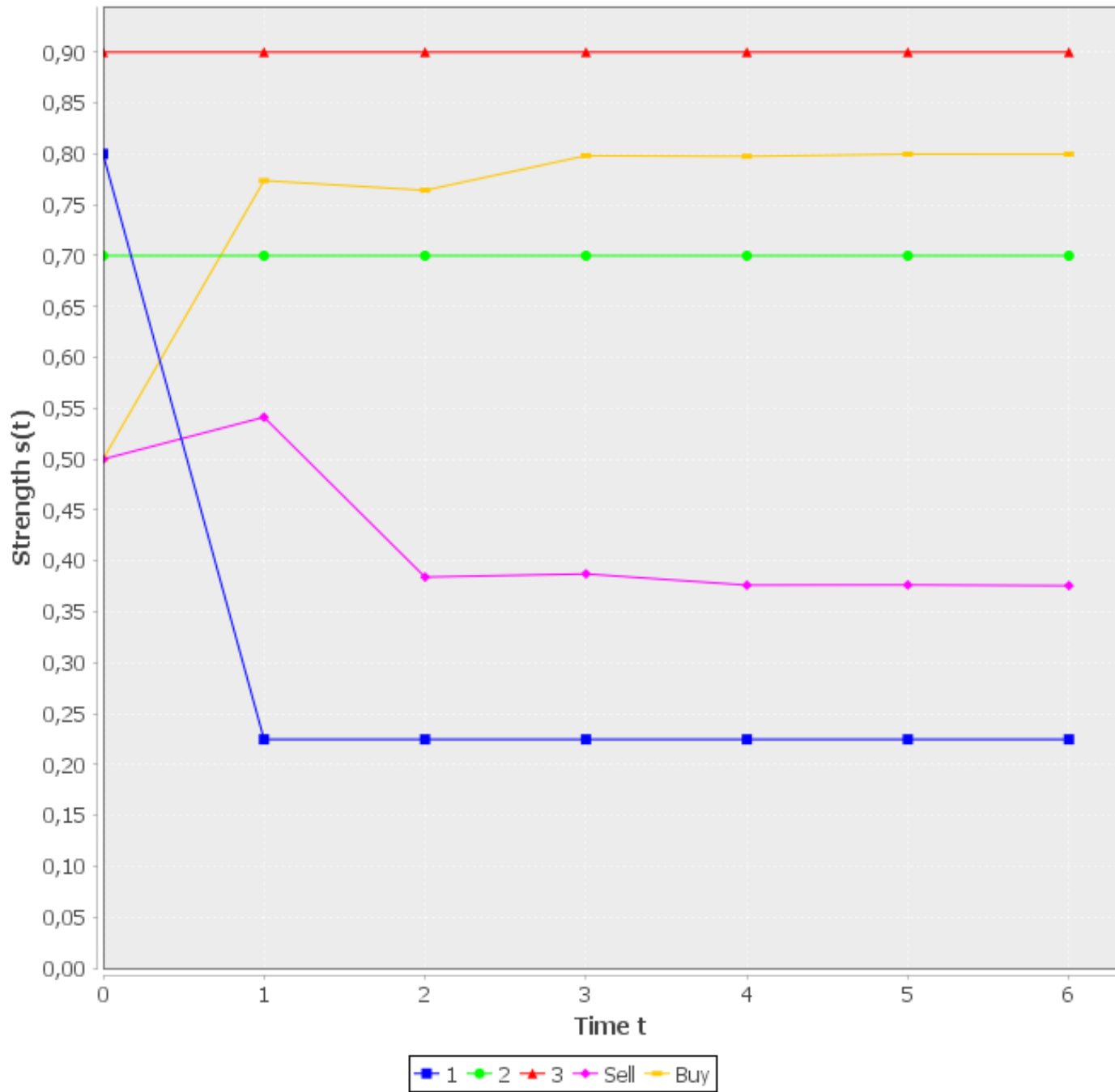
- *Influence*:  $s = 1 - \frac{1 - w^2}{1 + w \times e^a}$



# Quadratic-energy Model (KR 2018)



- *Aggregation*:  $a = \sum_{i \in Sup(B)} S_i - \sum_{i \in Att(B)} S_i$
- *Influence*:  $s = \begin{cases} w + (1 - w) \times \frac{a^2}{1 + a^2} & \text{if } a > 0 \\ w - w \times \frac{a^2}{1 + a^2} & \text{else} \end{cases}$



# Aggregation Functions

- *Product*:  $\prod_{i \in \text{Att}(B)} (1 - s_i) - \prod_{i \in \text{Sup}(B)} (1 - s_i)$
- *Sum*:  $\sum_{i \in \text{Sup}(B)} s_i - \sum_{i \in \text{Att}(B)} s_i$
- *Top*:  $\max \{s_i : i \in \text{Sup}(B)\} - \max \{s_i : i \in \text{Att}(B)\}$



# Influence Functions

- *Linear(k)*: 
$$\begin{cases} w + \frac{w}{k} \times a & \text{if } a < 0 \\ w + \frac{1-w}{k} \times a & \text{else} \end{cases}$$

- *Euler-based*: 
$$1 - \frac{1-w^2}{1+w \times e^a}$$

- *qmax(k)*: 
$$\begin{cases} w + \frac{1-w}{k} \times \frac{a^2}{1+a^2} & \text{if } a > 0 \\ w - \frac{w}{k} \times \frac{a^2}{1+a^2} & \text{else} \end{cases}$$

# Semantical Desiderata

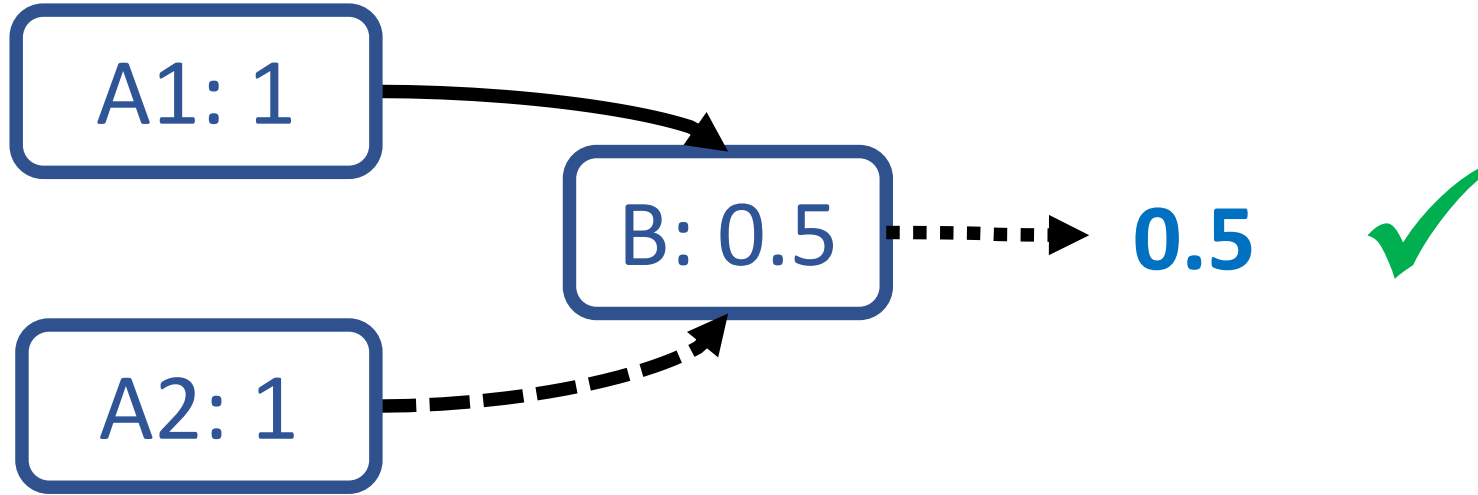
- *Equivalence*
  - *Neutrality*
  - *Dummy*
  - *Maximality/ Minimality*
  - *Strengthening/ Weakening*
  - *Void Precedence*
  - *Triggering*
  - *Counting*
  - *Proportionality*
  - ...
- *(Baroni et al. 2018) showed that most properties can be broken down to two fundamental principles called **Balance** and **Monotonicity***

# Balance (Intuition)



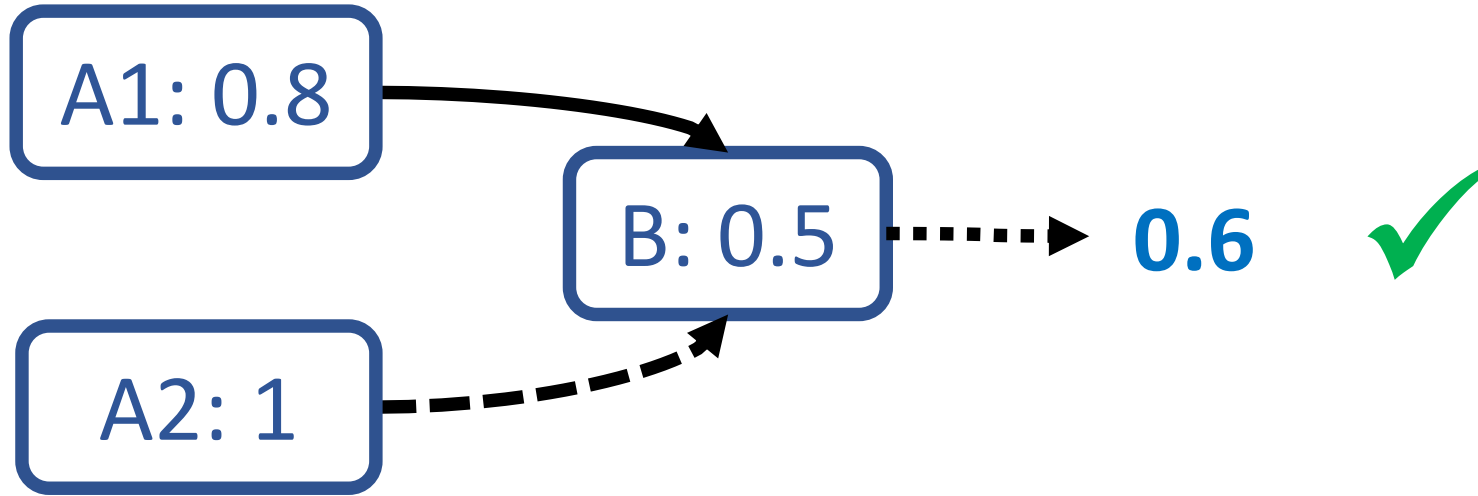
1. If attackers and supporters are „*equally strong*“, strength should be equal to initial weight
2. If attackers are „*stronger (weaker) than*“ supporters, strength should be smaller (larger)

# Balance: DF-QuAD



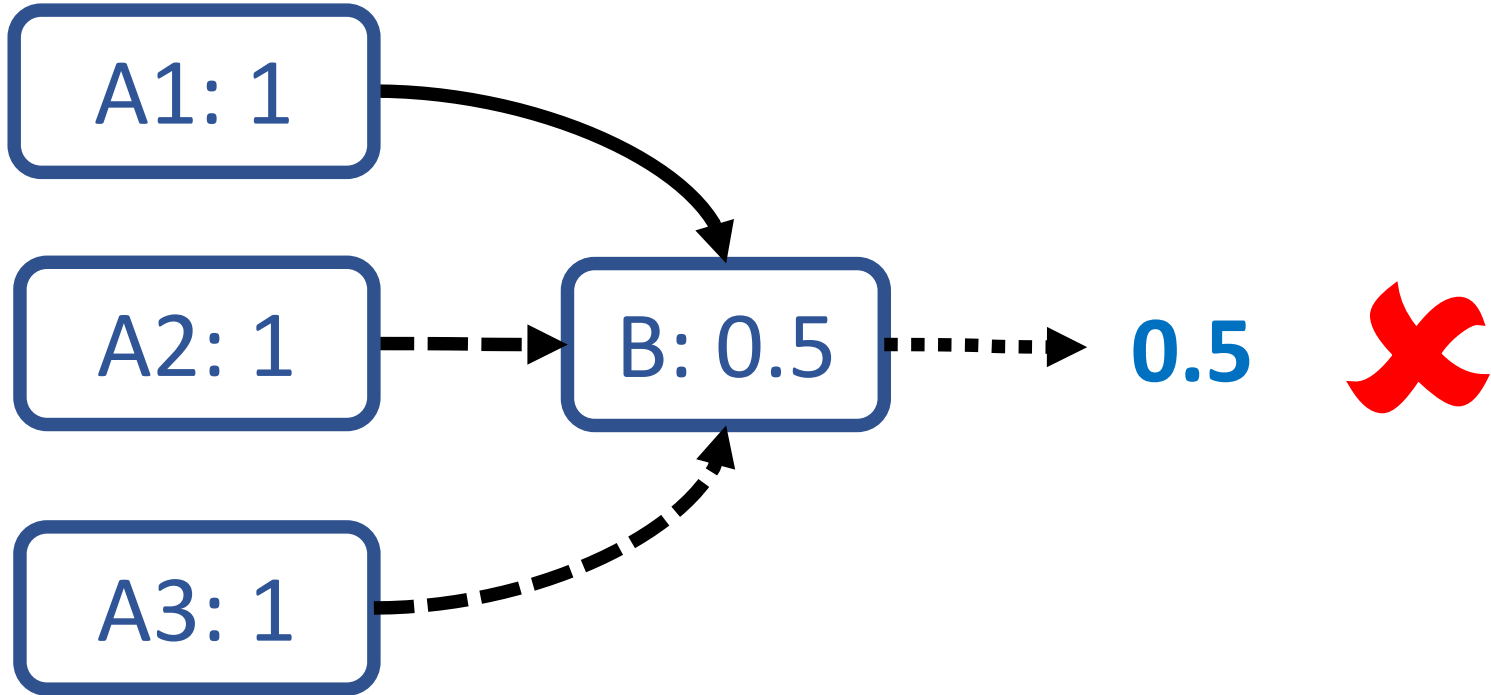
- *Aggregation:*  $a = (1 - 1) - (1 - 1) = 0$
- *Influence:*  $s = 0.5 + (1 - 0.5) \times 0 = 0.5$

# Balance: DF-QuAD



- *Aggregation:*  $a = (1 - 0.8) - (1 - 1) = 0.2$
- *Influence:*  $s = 0.5 + (1 - 0.5) \times 0.2 = 0.6$

# Balance: DF-QuAD



*Product Aggregation  
and Top Aggregation  
can violate balance*

- *Aggregation:*  $a = (1 - 1) - (1 - 1) \times (1 - 1) = 0$
- *Influence:*  $s = 0.5 + (1 - 0.5) \times 0 = 0.5$

# Monotonicity (Intuition)

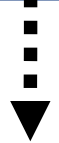
- 1. If the „**same impact**“ (in terms of initial weight, attack and support) acts on A1 and A2, then they should have the same strength.*
- 2. If the impact on A1 is „**more positive**“, then it should have a larger strength than A2.*

# Monotonicity: Euler-based Semantics

A: 0.5



B: 0.5



0.42



C: 1



D: 0.5



0.37



- $a = -0.5$

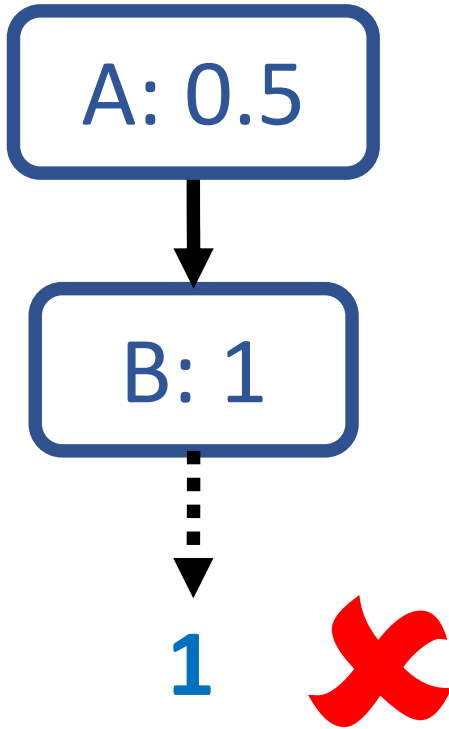
- $s = 1 - \frac{1 - 0.5^2}{1 + 0.5 \times \exp(-0.5)} \approx 0.42$

- $a = -1$

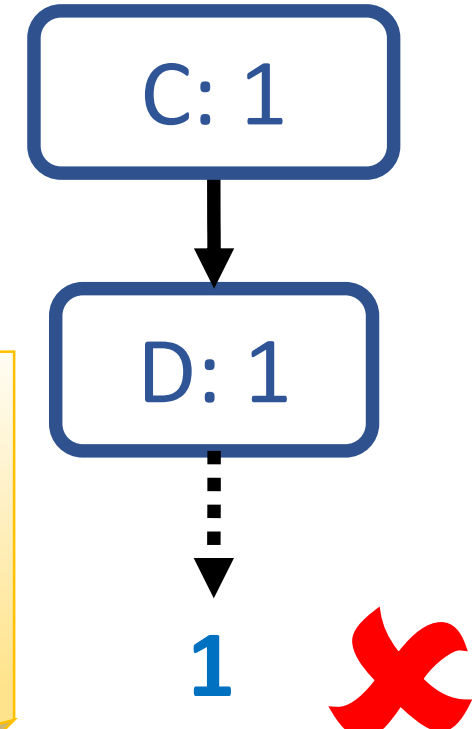
- $s = 1 - \frac{1 - 0.5^2}{1 + 0.5 \times \exp(-1)} \approx 0.37$



# Monotonicity: Euler-based Semantics



*Euler-based Influence*  
violates monotonicity  
in boundary cases



- $a = -0.5$

- $s = 1 - \frac{1 - 1^2}{1 + 1 \times \exp(-0.5)} = 1$

- $a = -1$

- $s = 1 - \frac{1 - 1^2}{1 + 1 \times \exp(-1)} = 1$

# Beyond Balance and Monotonicity (AAMAS 2019)

- **Duality:** Attack and support should behave „in a dual manner“
- **Open-Mindedness:** strength should become arbitrarily close to 0 (1) if we keep adding „strong“ attackers (supporters)

# Duality: DF-QuAD



**0.1 (-0.4)**



- $a = (1 - 0.8) - 1 = -0.8$

- $s = 0.5 - 0.5 \times 0.8 = 0.1$



**0.9 (+0.4)**



- $a = 1 - (1 - 0.8) = 0.8$

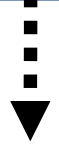
- $s = 0.5 + (1 - 0.5) \times 0.8 = 0.9$

# Duality: Euler-based

A: 0.8



B: 0.5



0.39 (-0.11) ✘

*Euler-based Influence  
can violate Duality*

C: 0.8



D: 0.5



0.65 (+0.15) ✘

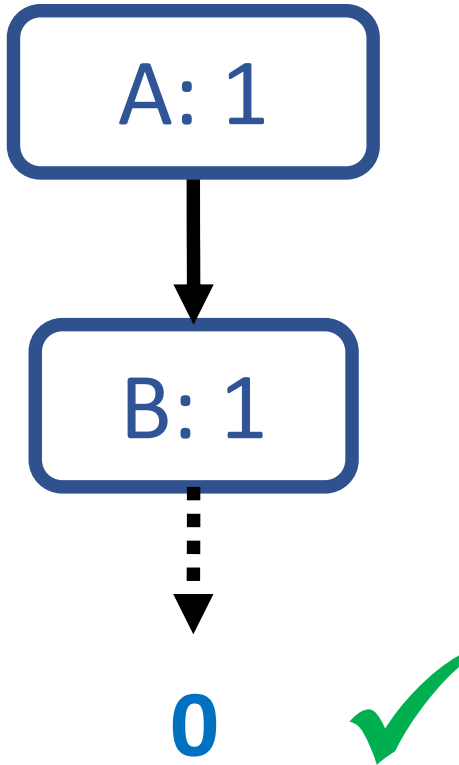
- $a = -0.8$

- $s = 1 - \frac{1 - 0.5^2}{1 + 0.5 \times \exp(-0.8)} = 0.39$

- $a = 0.8$

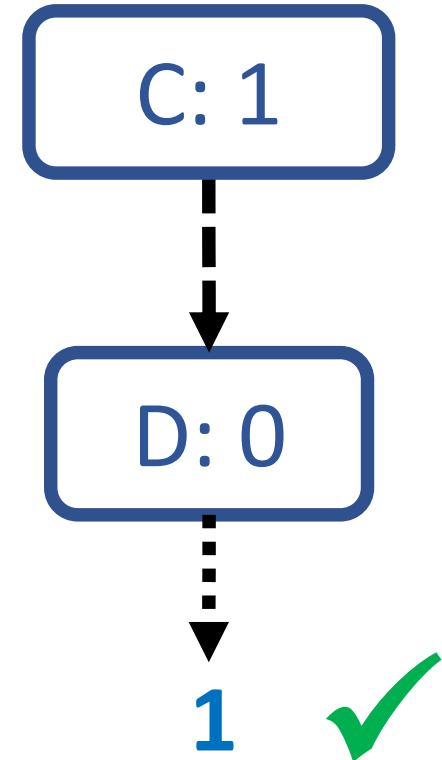
- $s = 1 - \frac{1 - 0.5^2}{1 + 0.5 \times \exp(-0.8)} = 0.65$

# Open-Mindedness: DF-QuAD



- $a = (1 - 1) - 1 = -1$

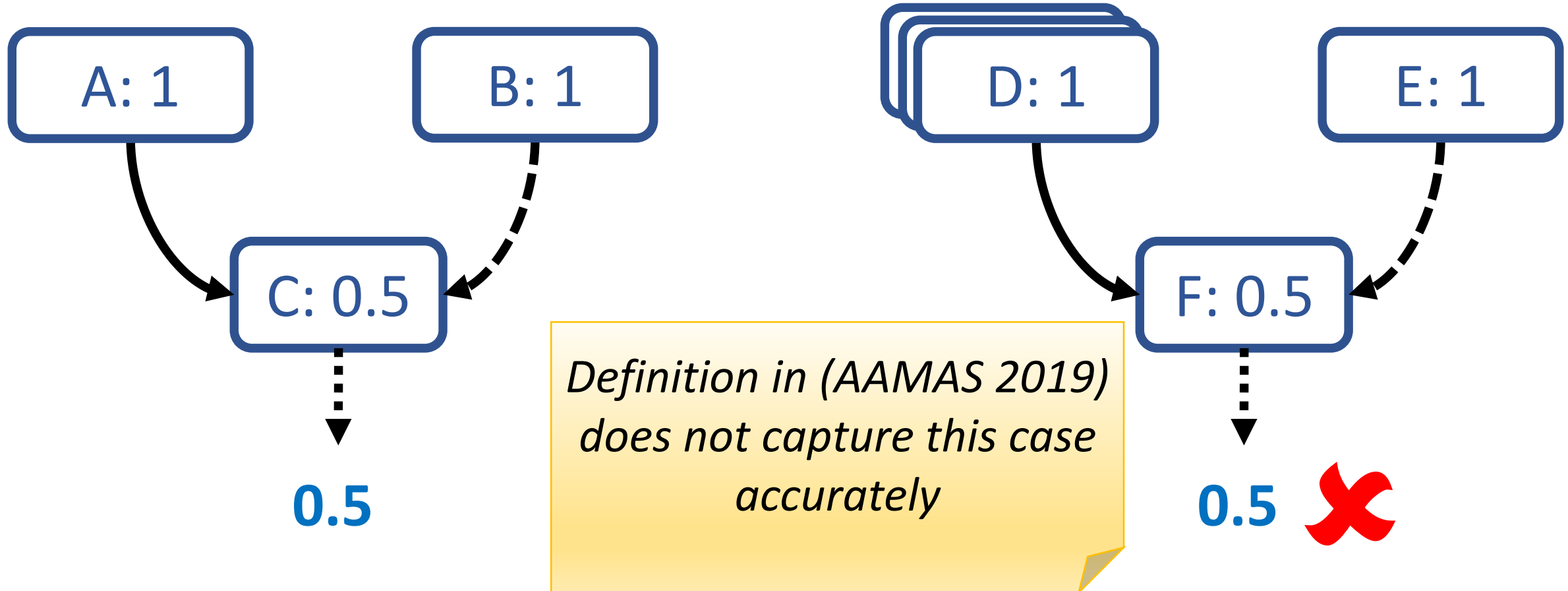
- $s = 1 - 1 \times 1 = 0$



- $a = 1 - (1 - 1) = 1$

- $s = 0 + (1 - 0) \times 1 = 1$

# Open-Mindedness: DF-QuAD



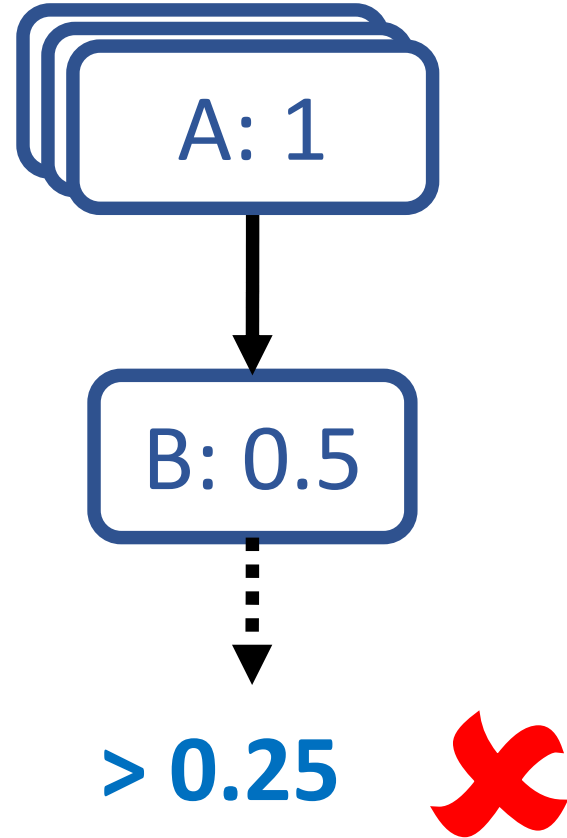
- $a = 0 - 0 = 0$

- $s = 0.5 - 0.5 \times 0 = 0$

- $a = 0 - 0 = 0$

- $s = 0.5 + (1 - 0.5) \times 0 = 0.5$

# Open-Mindedness: Euler-based



*Euler-based Influence can  
violate Open-Mindedness*

- $a = -n \rightarrow -\infty$

- $s = 1 - \frac{1 - 0.5^2}{1 + 0.5 \times \exp(-n)} > 0.25$

# Summary: Potential Semantical Problems

Aggregation Function	Balance	Monotonicity	Duality	Open-Mindedness
Product	(x)	(x)		(x)
Sum				
Top	(x)	(x)		(x)

Influence Function	Balance	Monotonicity	Duality	Open-Mindedness
Linear				
Euler-based		(x)	x	x
qmax				

Aggregation/ Influence Function	Balance	Monotonicity	Duality	Open-Mindedness
Sum/ qmax	✓	✓	✓	✓



# Some Further Readings about Weighted Semantics

- *Attack-only Graphs*

*Amgoud, L., Ben-Naim, J., Doder, D., & Vesic, S. Acceptability Semantics for Weighted Argumentation Frameworks. In Twenty-Sixth International Joint Conference on Artificial Intelligence (IJCAI 2017). 2017.*

- *Support-only Graphs*

*Amgoud, L., & Ben-Naim, J. Evaluation of arguments from support relations: Axioms and semantics. In Twenty-Fifth International Joint Conference on Artificial Intelligence (IJCAI 2016). 2016.*

- *Bipolar Graphs*

*Baroni, P., Romano, M., Toni, F., Aurisicchio, M., & Bertanza, G. Automatic evaluation of design alternatives with quantitative argumentation. *Argument & Computation*, 6(1), 24-49. 2015.*

Application Examples

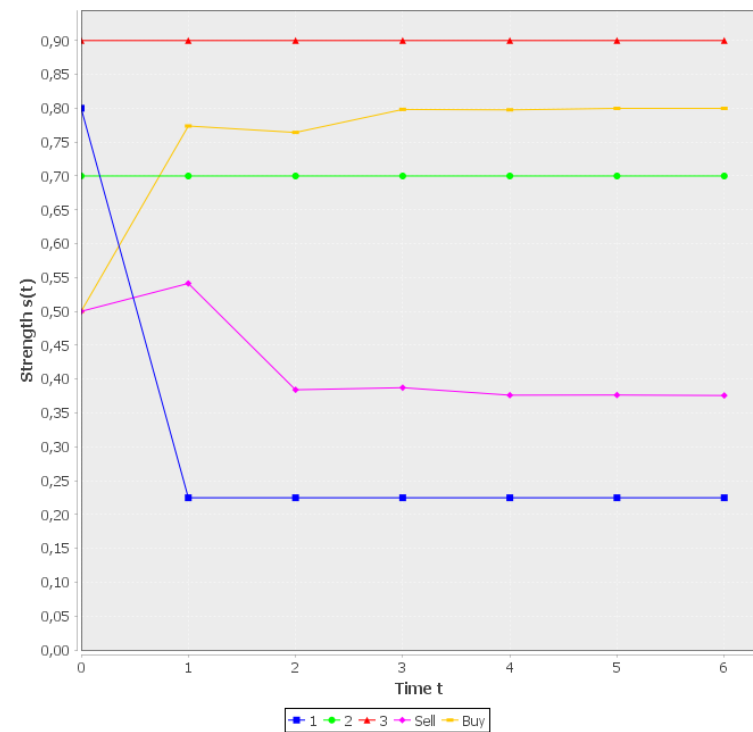
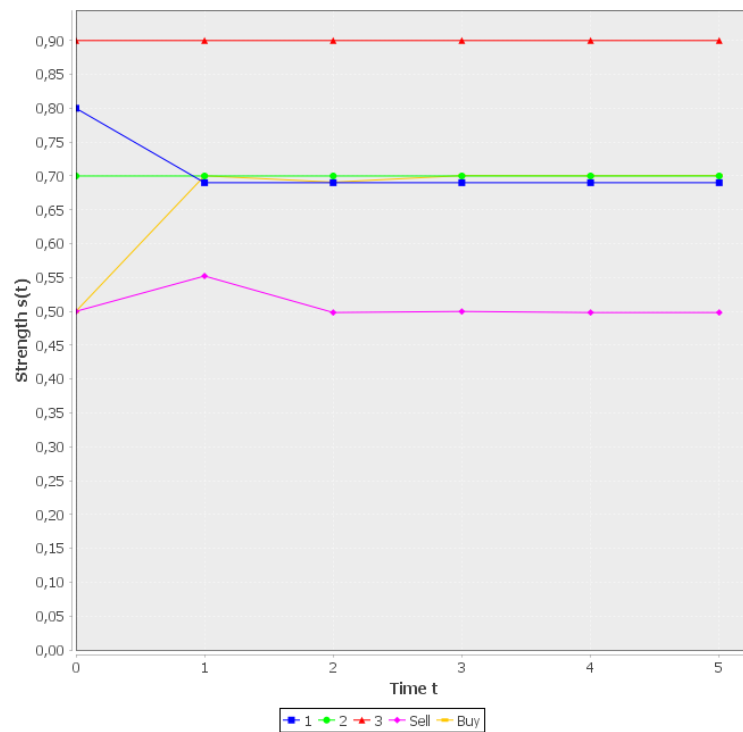
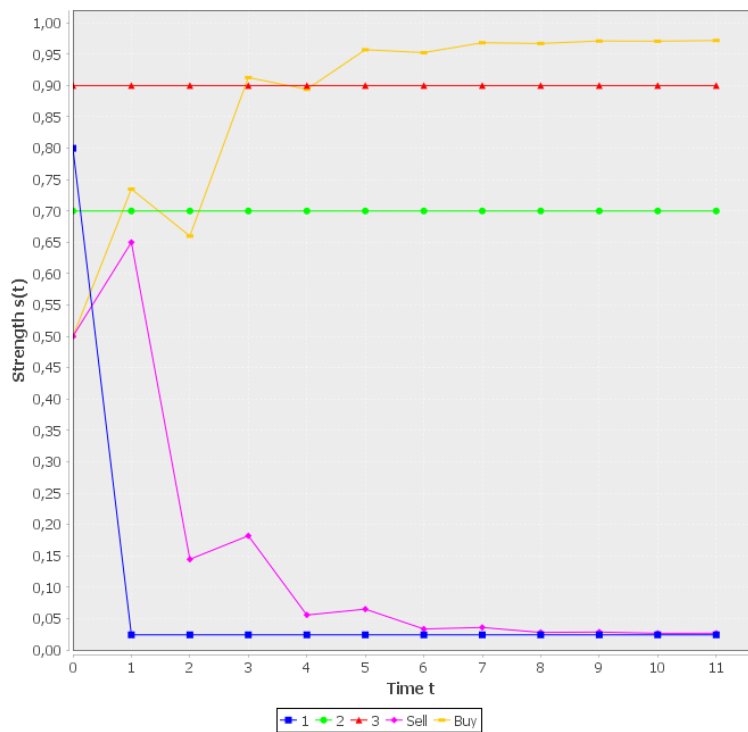
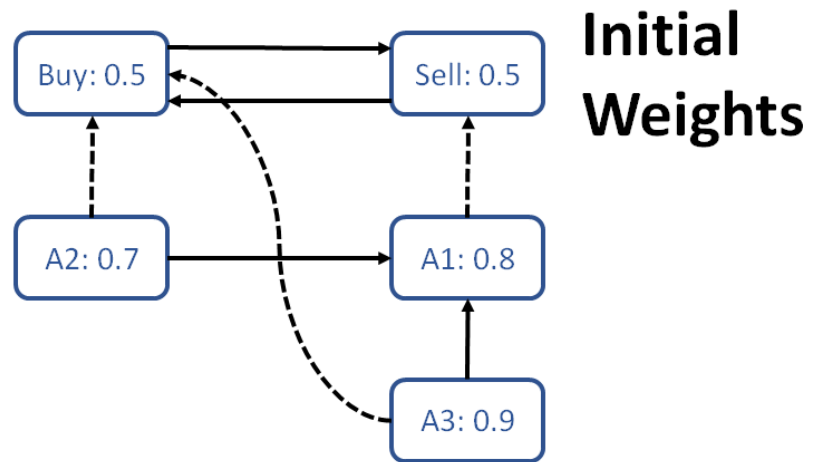
Introduction

Semantical Questions

**Computational  
Questions**



Attractor



# Computing Strength Values

$i \leftarrow 0$

*Initialization with*

**FOR**  $a = 1, \dots, n$

*initial weights*

$s^{(i)}(a) = w(a)$

**DO**

$i \leftarrow i + 1$

*Update strength values*

**FOR**  $a = 1, \dots, n$

*simultaneously until*

$s^{(i)}(a) = f(w(a), \text{Parents}(a), s^{(i-1)}(a))$

*convergence*

**UNTIL**  $|s^{(i)} - s^{(i-1)}| < \epsilon$

$s \leftarrow s^{(i)}$

# Depth in Acyclic BAGs

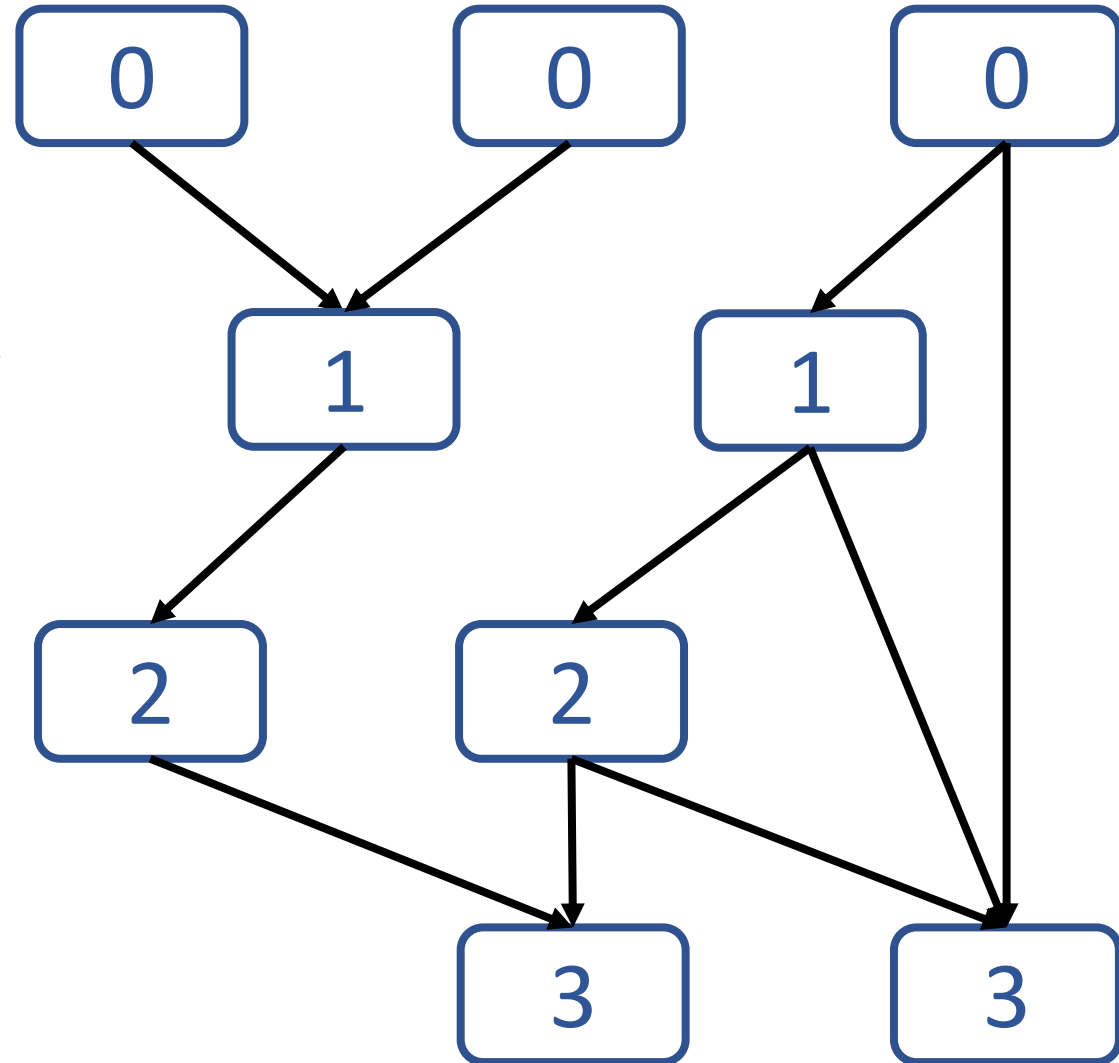
***Depth(i)*** is defined as

*0*

*1 + max {depth(j) : j ∈ Parents(i)}*

*if Parents(i) = ∅*

*else*



# Convergence in Acyclic BAGs

## Lemma

If  $\text{depth}(A)=d$ , then strength of  $A$  remains unchanged after iteration  $i$ .

## Theorem

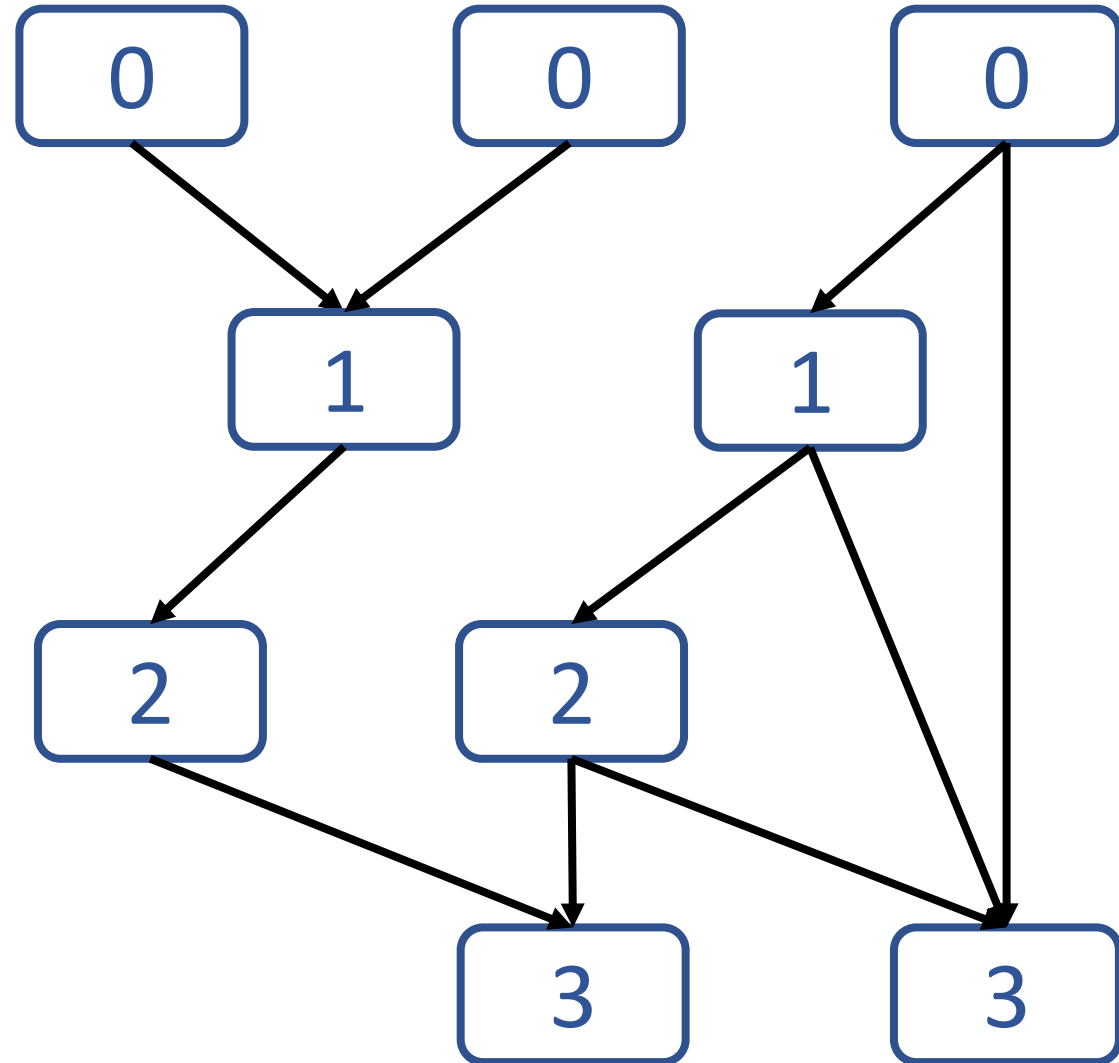
In acyclic BAGs, strength values converge in  $n-1$  iterations.

$O(n^2)$  updates

## Theorem

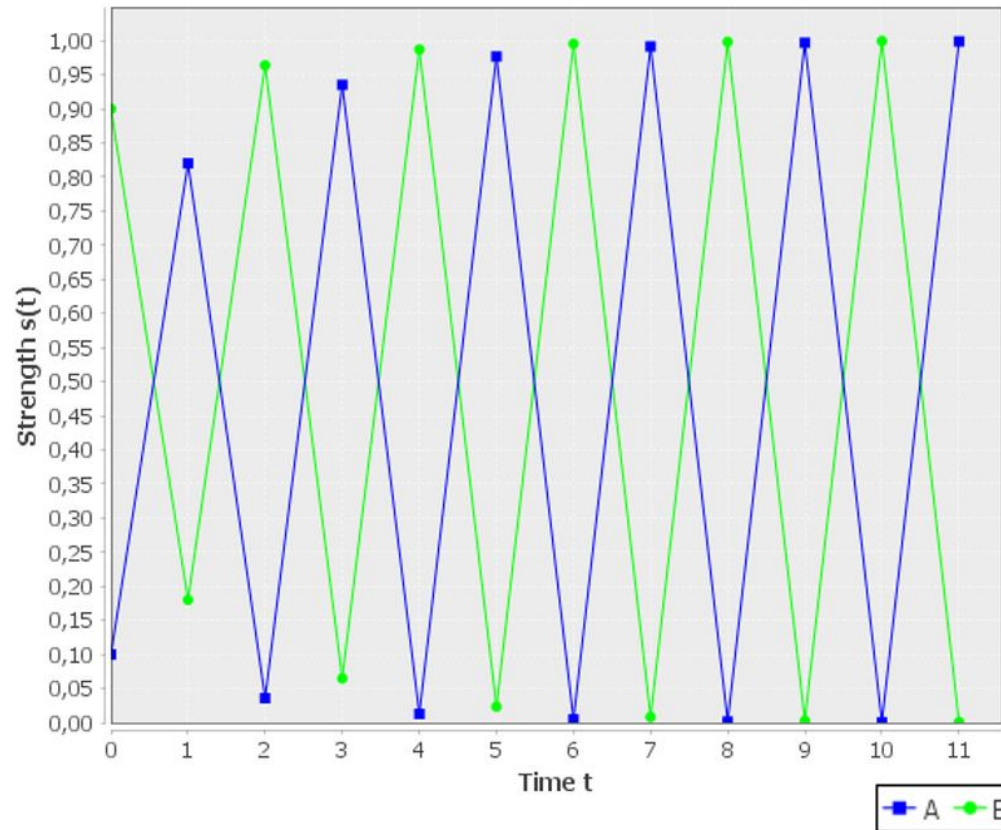
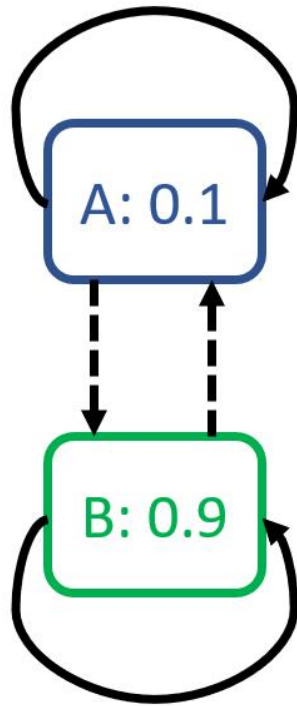
Computing strength values once according to topological ordering yields the same result.

$O(n+m)$  for ordering  
+  $O(n)$  updates

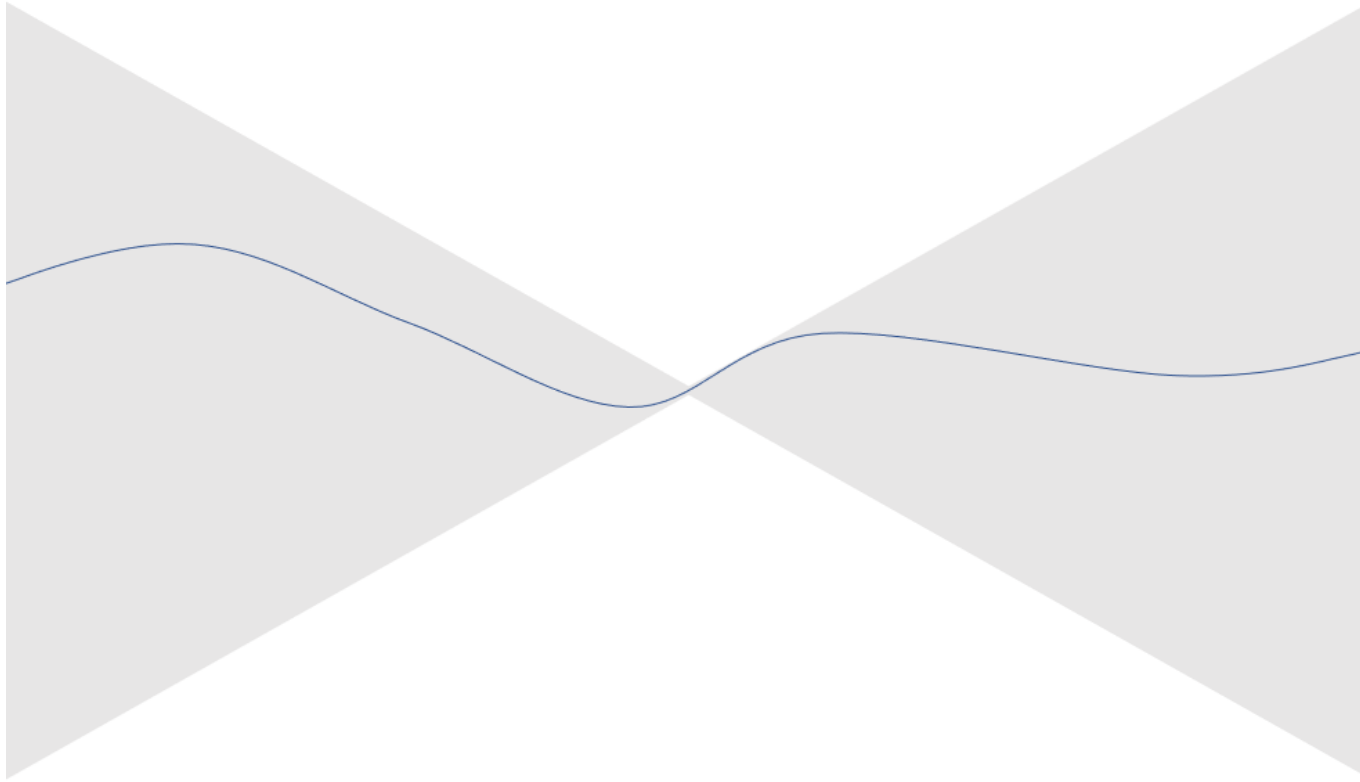


# Convergence in Cyclic BAGs

- *In cyclic BAGs, algorithm may not converge (Mossakowski, Neuhaus 2018)*



# Digression: Lipschitz Continuity



- **Lipschitz-continuous:** „function does not grow faster than some linear function“

*there is some  $\lambda$  such that  $|f(x_1) - f(x_2)| \leq \lambda \times |x_1 - x_2|$  for all  $x_1, x_2$*

- $\lambda$  is called **Lipschitz-constant**



# Convergence in Cyclic BAGs

- *Sufficient conditions for converge can be derived assuming*
  - *bounded derivatives (Mossakowski, Neuhaus 2018) or, more general,*
  - *Lipschitz-continuity (AAMAS 2019)*

## Theorem (AAMAS 2019)

If semantics is contractive, that is,

1. aggregation function has Lipschitz-constant  $\lambda_1$ ,
2. influence function has Lipschitz-constant  $\lambda_2$ ,
3.  $\lambda_1 \times \lambda_2 < 1$ ,

then the algorithm is guaranteed to converge.

Convergence up to D digits after  $O(C(\lambda_1, \lambda_2) \times D)$  iterations

# Some Lipschitz Constants

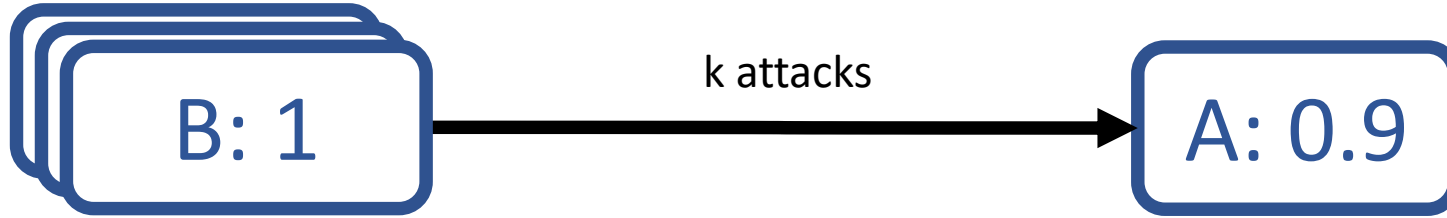
Aggregation Function	$\lambda$
Product	max. indegree of any argument in BAG
Sum	max. indegree of any argument in BAG
Top	$\leq 2$

Influence Function	$\lambda$
Linear(k)	$\frac{1}{k} \max \{w(i), 1 - w(i) : i = 1, \dots, n\}$
Euler-based	0.25
qmax(k)	$\frac{1}{k} \max \{w(i), 1 - w(i) : i = 1, \dots, n\}$

# Some Convergence Guarantees

Semantics	Aggregation	Influence	Sufficient Conditions
(Mossakowski, Neuhaus 2018)	Top	Euler-based	Always
DF-QuAD (k=1)	Product	Linear(k)	Max. indegree < k
Euler-based	Sum	Euler-based	Max. indegree < 4
Quadratic Energy (k=1)	Sum	qmax(k)	Max. indegree < $\frac{k}{p}$

# Convergence Guarantees vs. Open-Mindedness



Aggregation	Influence	k=0	k=1	k=10	k=100
Top	Euler	0.9	0.862	0.862	0.862
Addition	Euler	0.9	0.862	0.811	0.811
Top	qmax(1)	0.9	0.498	0.498	0.498
Addition	qmax(1)	0.9	0.498	0.012	0.001
Top	qmax(5)	0.9	0.873	0.873	0.873
Addition	qmax(5)	0.9	0.873	0.213	0.004

# Convergence Guarantees vs. Open-Mindedness

## Lemma (AAMAS 2019)

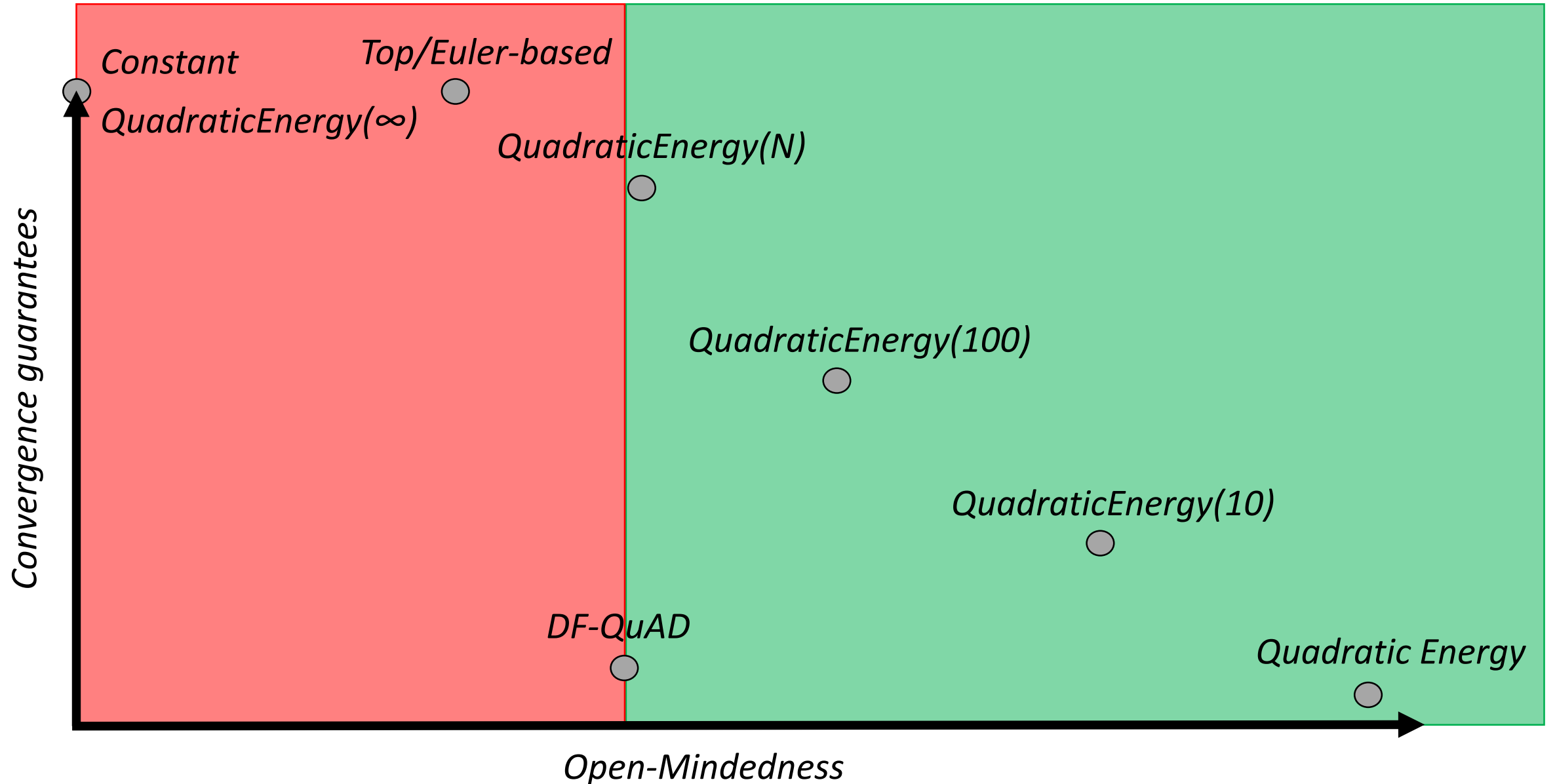
If semantics is defined by

1. aggregation function that maps to  $[-B, B]$ ,
  2. combination function with Lipschitz-constant  $\lambda$ ,
- then  $|s(i) - w(i)| \leq \lambda \times B$ .

Aggregation Function	Range
Product	$[-1, 1]$
Sum	$(-\infty, \infty)$
Top	$[-1, 1]$

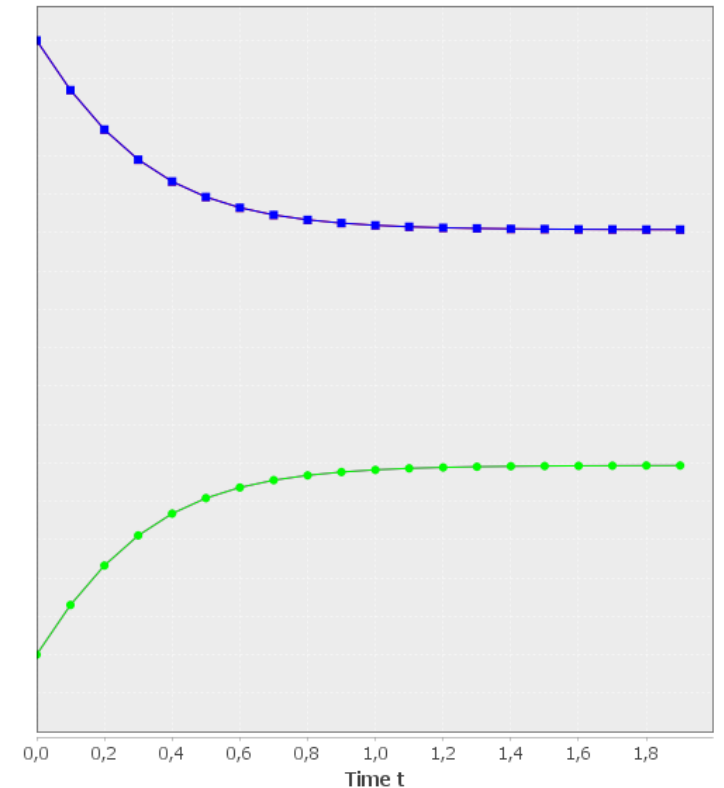
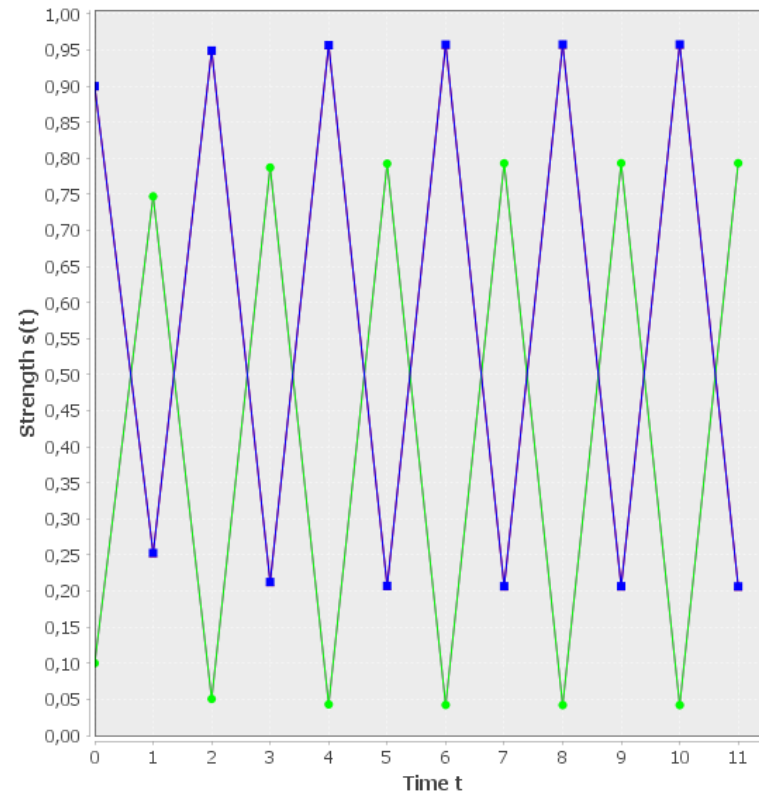
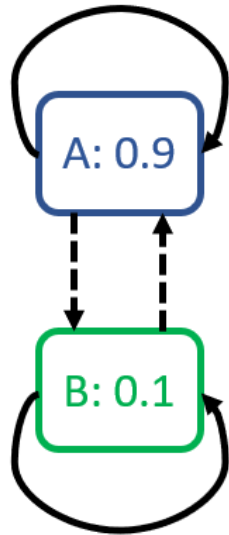
Influence Function	$\lambda$
Linear(k)	$\geq \frac{1}{2k}$
Euler-based	$\frac{1}{4}$
qmax(k)	$\geq \frac{1}{2k}$

# Convergence Guarantees vs. Open-Mindedness



# Improving Guarantees by Continuization

- *(Discrete) semantics can be seen as coarse approximations of continuous semantics (KR2014)*
- *Continuizing semantics can solve divergence problems without losing open-mindedness*



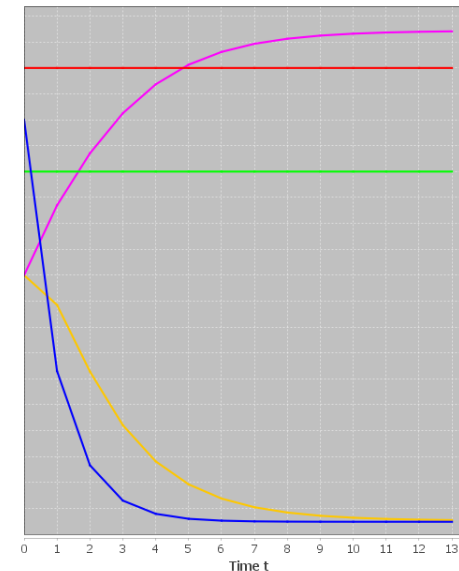
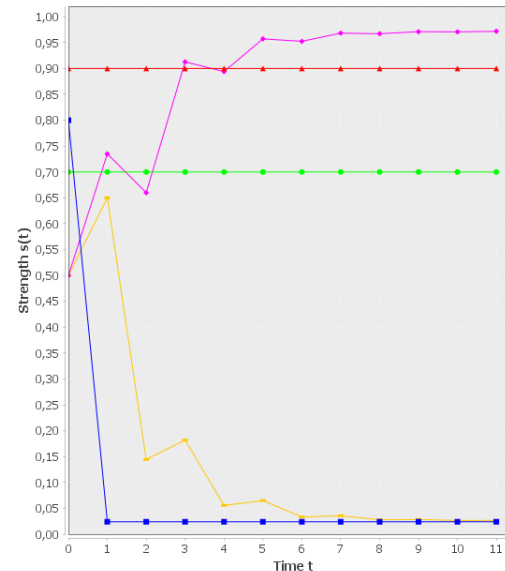
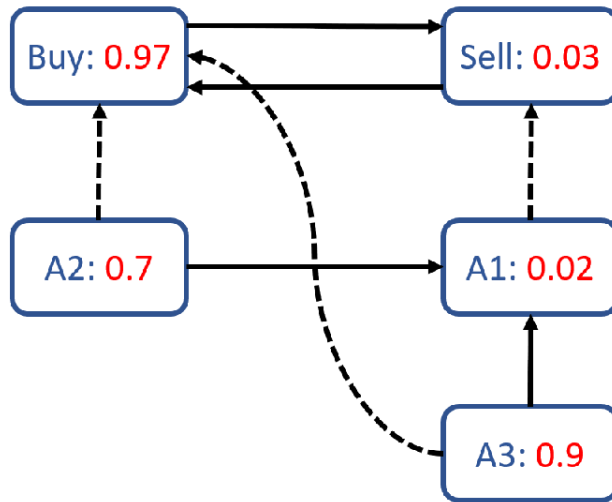
■ a1 ● b0 ■ a0 ● b1

# Improving Guarantees by Continuization

## Theorem (AAMAS 2019)

If semantics is contractive (satisfies convergence conditions),  
continuized semantics converges to the same strength values.

Empirically, convergence in subquadratic time.





# Convergence Guarantees for Continuized Semantics

- *Support-only: yes (mon. increasing and bounded from above)*
- *Attack-only: probably (hand-waving argument)*
- *Bipolar: maybe (neither proof idea nor counterexamples are known)*

# Some Further Readings about Computational Issues

- *Fixed points in Social Abstract Argumentation*

*Leite, J., & Martins, J. Social abstract argumentation. In Twenty-Second International Joint Conference on Artificial Intelligence (IJCAI 2011). 2011.*

*Amgoud, L. et al. A note on the uniqueness of models in social abstract argumentation. arXiv preprint arXiv:1705.03381.*

- *Convergence of Discrete Semantics in Attack-only Graphs*

*Amgoud, L., & Doder, D. Gradual Semantics Accounting for Varied-Strength Attacks. In Proceedings of the 18th International Conference on Autonomous Agents and MultiAgent Systems (AAMAS 2019). 2019.*

- *High-Level Introduction to Continuous Semantics*

*Potyka, N. (2018). A Tutorial for Weighted Bipolar Argumentation with Continuous Dynamical Systems and the Java Library Attractor. 17th International Workshop on Non-Monotonic Reasoning (NMR 2018). 2018.*

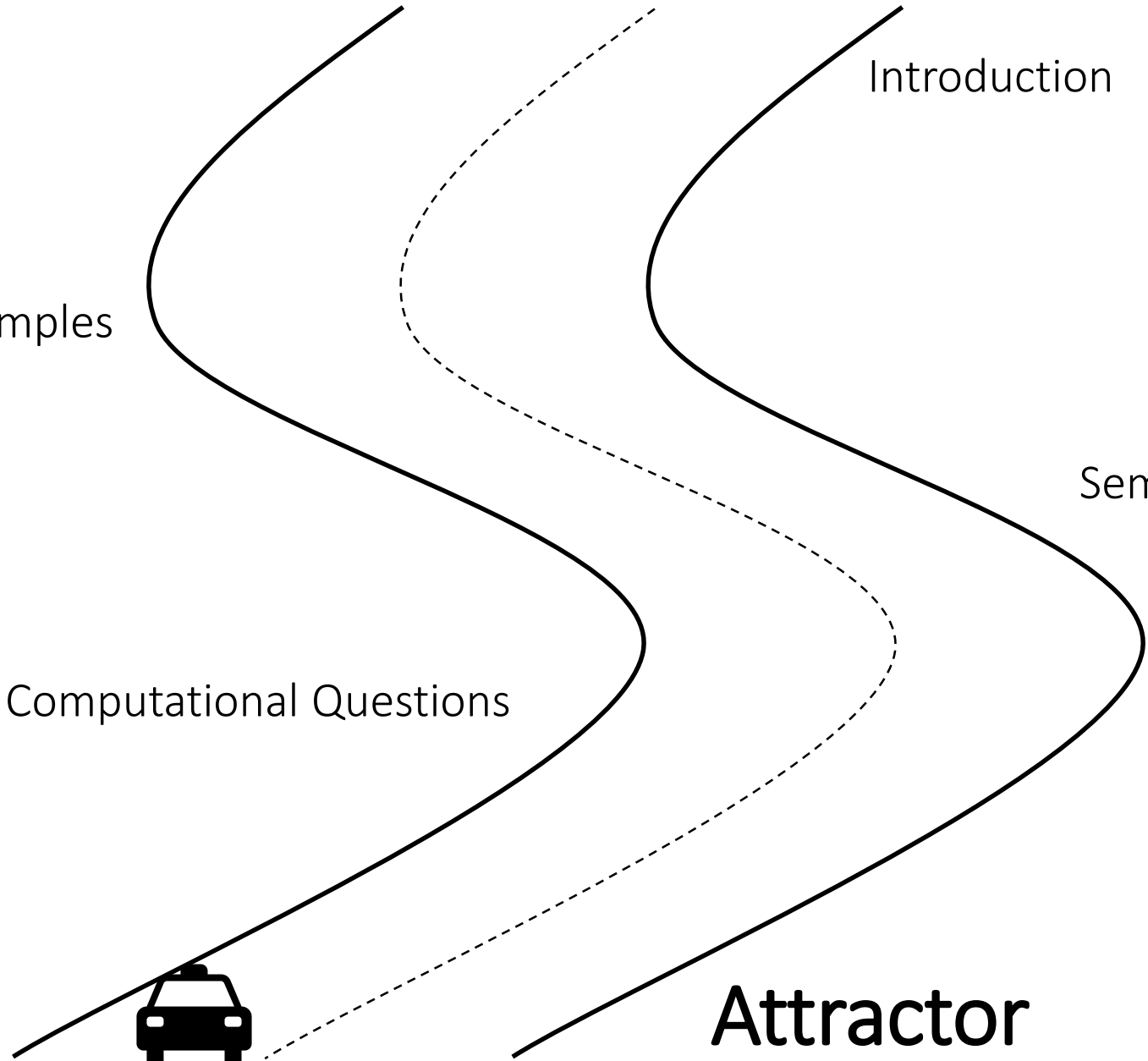
Application Examples

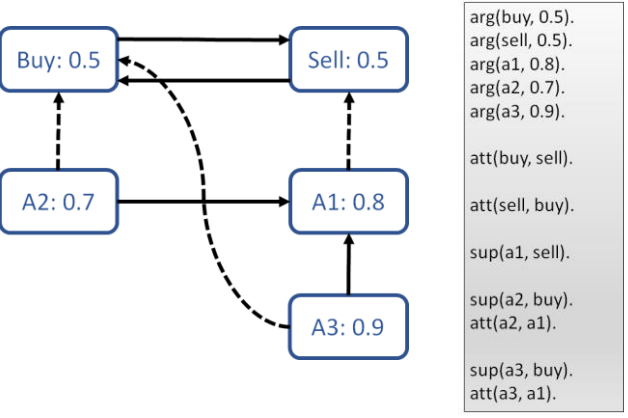
Computational Questions

Introduction

Semantical Questions

**Attractor**





```

arg(buy, 0.5).
arg(sell, 0.5).
arg(a1, 0.8).
arg(a2, 0.7).
arg(a3, 0.9).

att(buy, sell).
att(sell, buy).

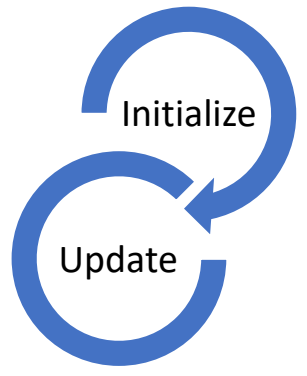
sup(a1, sell).
sup(a2, buy).
att(a2, a1).

sup(a3, buy).
att(a3, a1).

```



Semantics



Algorithm

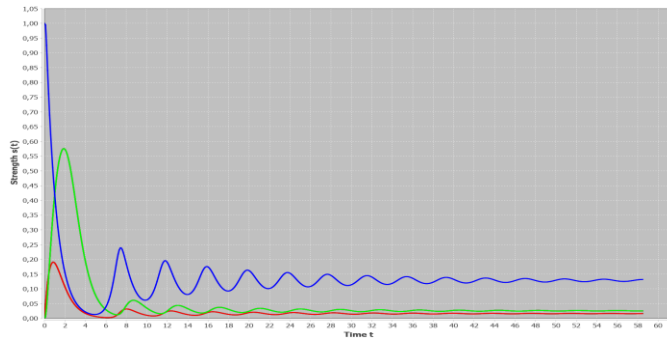


BAG

Visualizations

Strength Values

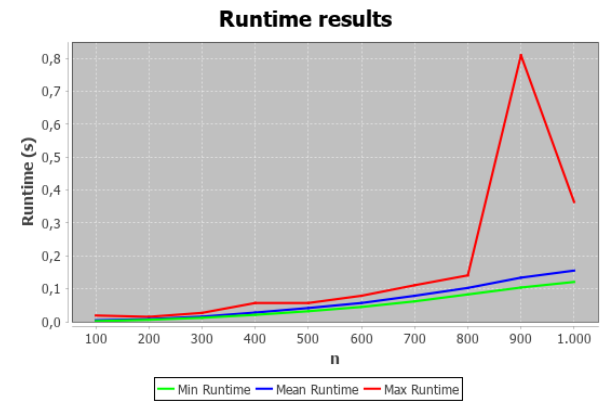
Performance



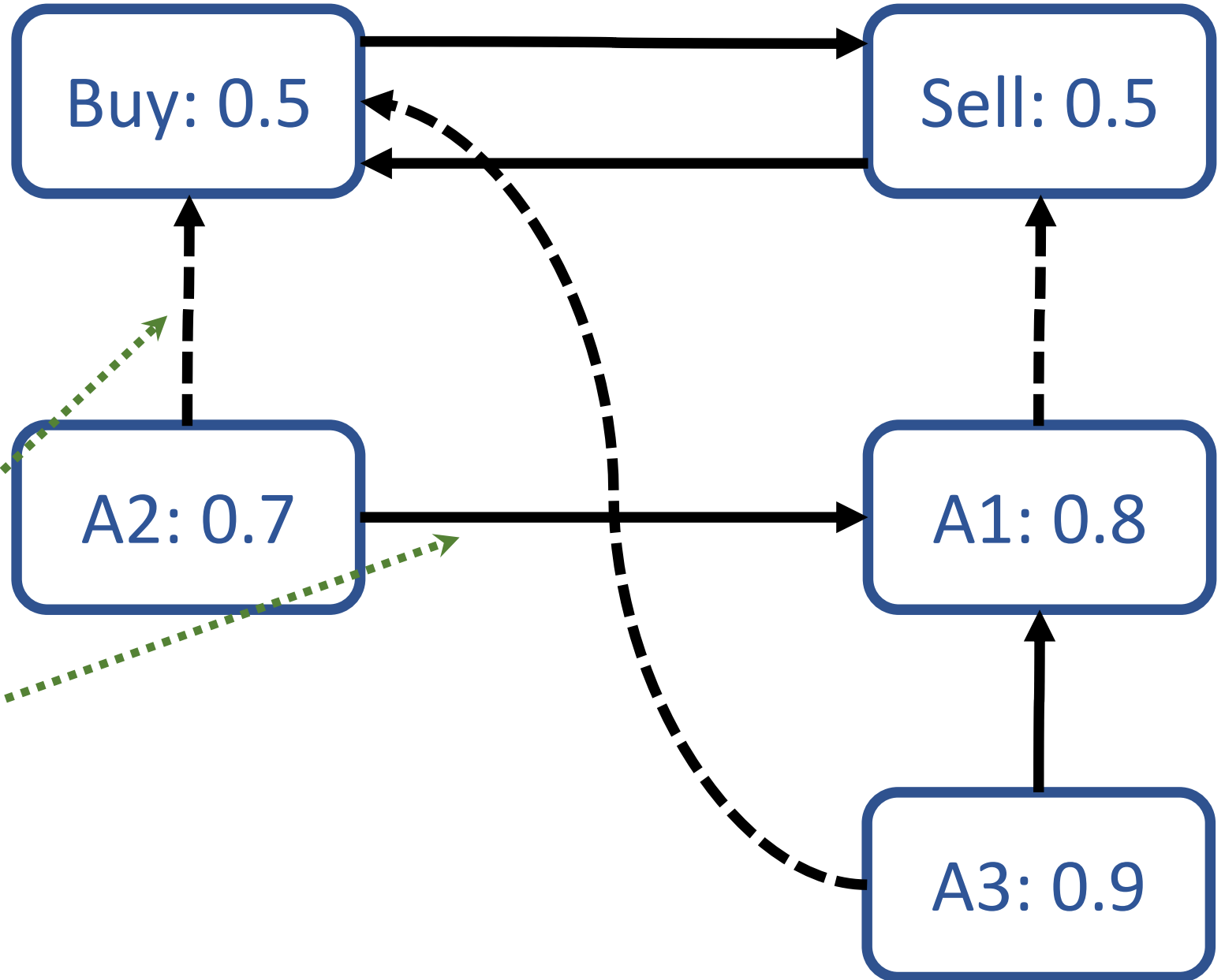
```

Quadratic Energy Model, RK4
Time: 58.5000000000056
Argument [name=A,weight=1.0, strength=0.13207533031881255]
Argument [name=C0,weight=0.0, strength=0.025578304880260305]
Argument [name=B0,weight=0.0, strength=0.01650111554282822]
Argument [name=C1,weight=0.0, strength=0.025578304880260305]
Argument [name=B1,weight=0.0, strength=0.01650111554282822]
Argument [name=C2,weight=0.0, strength=0.025578304880260305]
Argument [name=B2,weight=0.0, strength=0.01650111554282822]
Argument [name=C3,weight=0.0, strength=0.025578304880260305]
Argument [name=B3,weight=0.0, strength=0.01650111554282822]
Argument [name=C4,weight=0.0, strength=0.025578304880260305]
Argument [name=B4,weight=0.0, strength=0.01650111554282822]
Argument [name=C5,weight=0.0, strength=0.025578304880260305]
Argument [name=B5,weight=0.0, strength=0.01650111554282822]
Argument [name=C6,weight=0.0, strength=0.025578304880260305]
Argument [name=B6,weight=0.0, strength=0.01650111554282822]
Argument [name=C7,weight=0.0, strength=0.025578304880260305]
Argument [name=B7,weight=0.0, strength=0.01650111554282822]
Argument [name=C8,weight=0.0, strength=0.025578304880260305]
Argument [name=B8,weight=0.0, strength=0.01650111554282822]
Argument [name=C9,weight=0.0, strength=0.025578304880260305]
Argument [name=B9,weight=0.0, strength=0.01650111554282822]

```



arg(buy, 0.5).  
arg(sell, 0.5).  
arg(a1, 0.8).  
arg(a2, 0.7).  
arg(a3, 0.9).  
  
att(buy, sell).  
att(sell, buy).  
  
sup(a1, sell).  
sup(a2, buy).  
att(a2, a1).  
  
sup(a3, buy).  
att(a3, a1).



# Solving Weighted Argumentation Problems

```
AbstractDynamicArgumentationSystem ads = new ContinuousDFQuADMModel();
```

Select Semantics

```
AbstractIterativeApproximator approximator = new RK4(ads);  
ads.setApproximator(approximator);
```

Select Algorithm

```
BAGFileUtils fileUtils = new BAGFileUtils();  
BAG bag;
```

Use utility tools to read BAG

```
try {
```

```
    bag = fileUtils.readBAGFromFile(new File("files/PresentationBAG.bag"););  
    ads.setBag(bag);  
    ads.approximateSolution(10e-3, 10e-4, true);
```

Step  
size

$\epsilon$

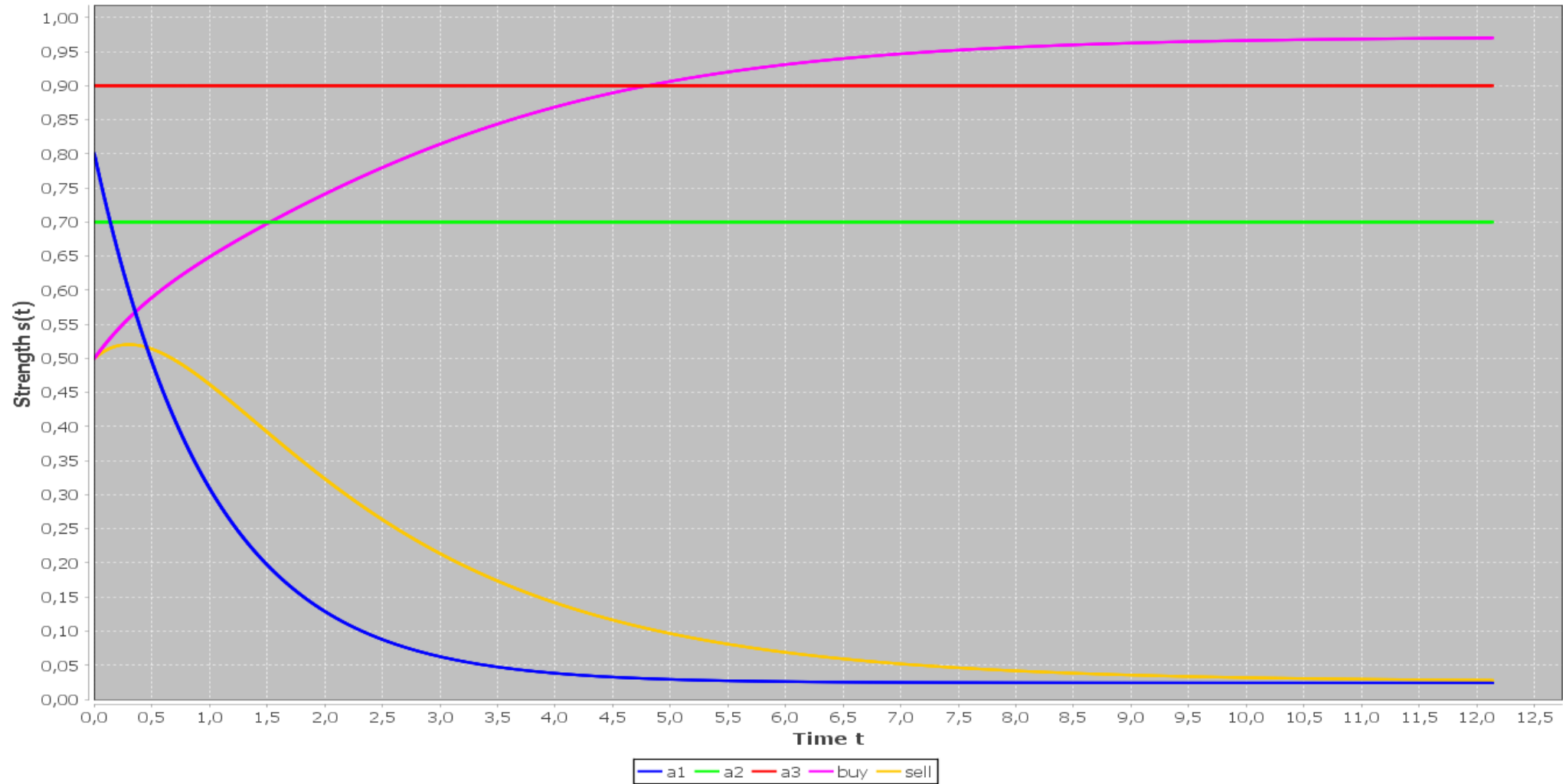
Info

```
}  
catch (Exception e) {  
    e.printStackTrace();  
}
```

```
ads.setApproximator(new PlottingRK4(ads));  
ads.approximateSolution(10e-3, 10e-4, true);
```

Generate visualizations with JFreeChart

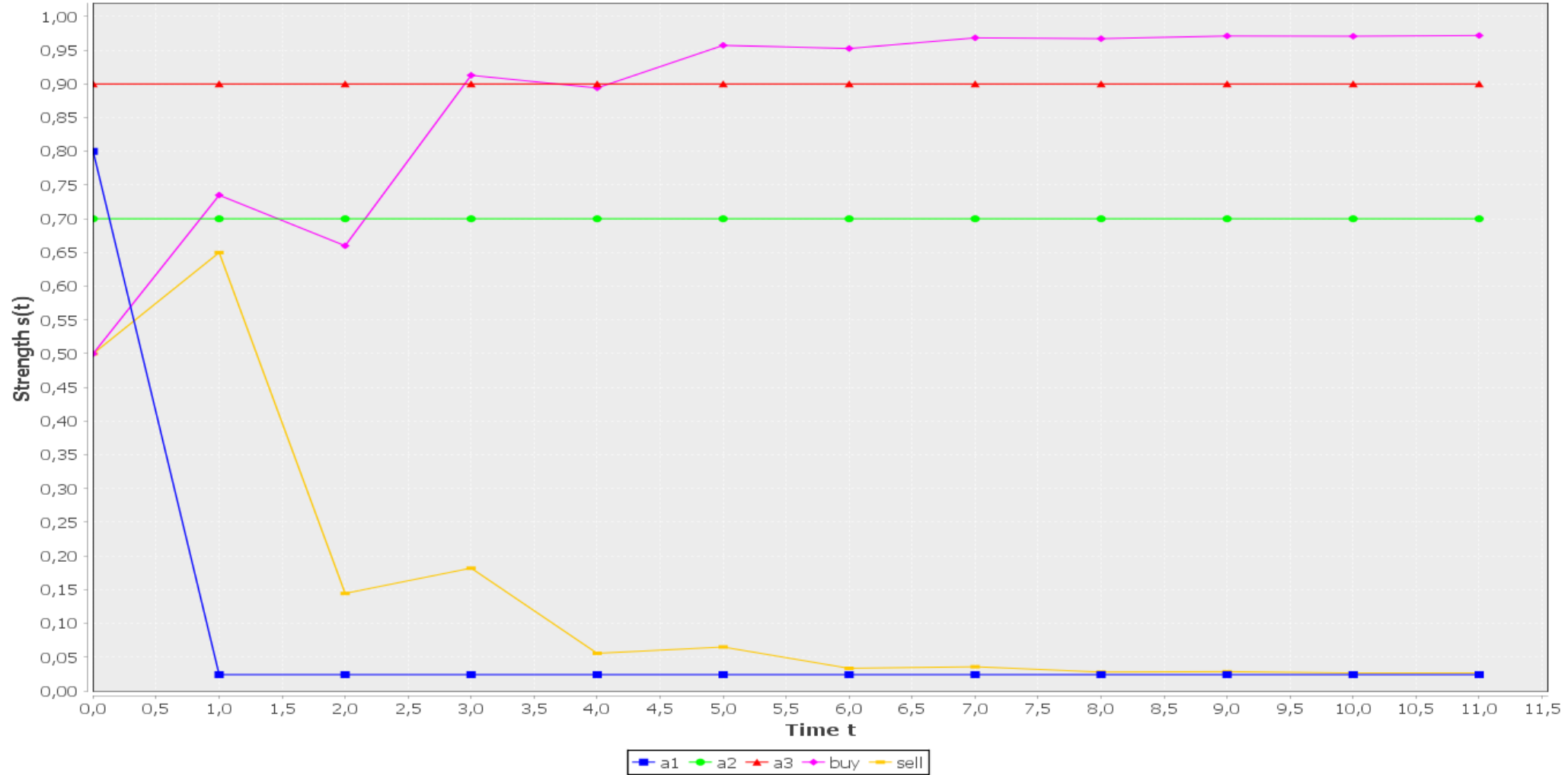
**Evolution Continuous DF-QuAD Model, RK4,  $d=0.01$ ,  $e=0.001$**



```
ads.setApproximator(new PlottingEulersMethod(ads));  
ads.approximateSolution(1, 10e-4, true);
```

Simulate Discrete Semantics using  
Euler's Method (KR 2018)

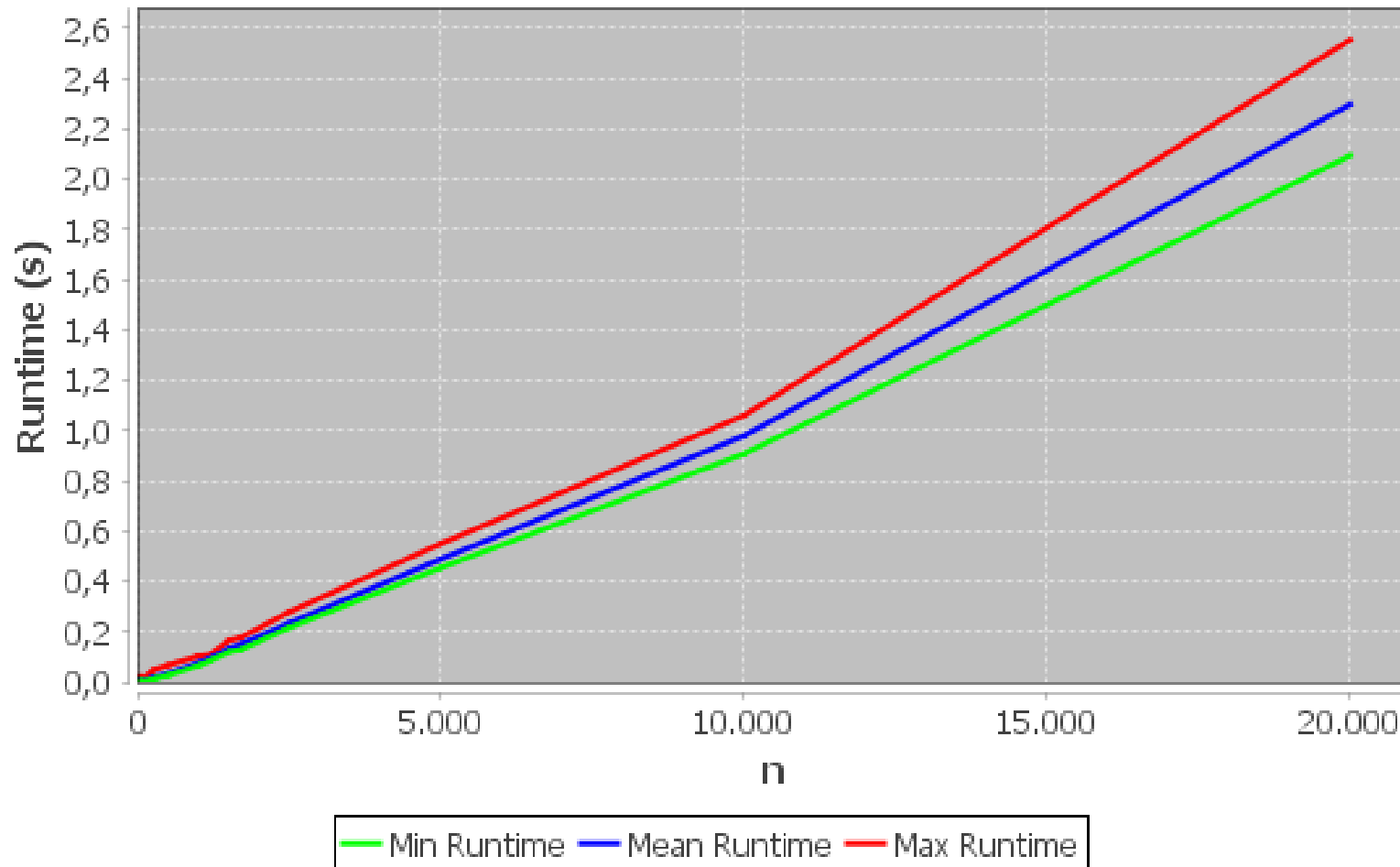
**Evolution Continuous DF-QuAD Model, Euler's Method,  $d=1.0$ ,  $e=0.001$**



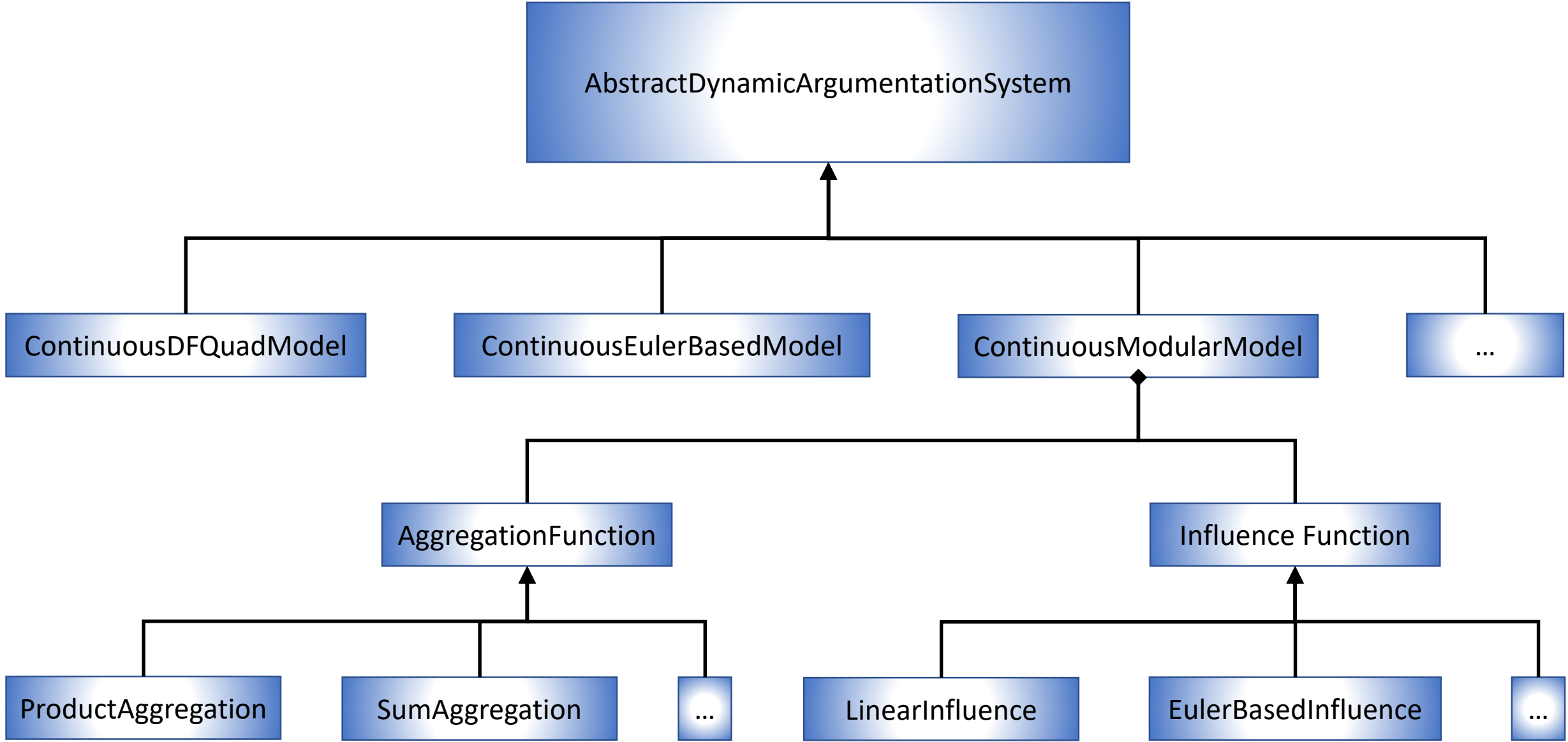


```
BenchmarkUtils benchmark = new BenchmarkUtils();  
File benchmarkDirectory = new File("files/networks/barabasi");  
QuadraticEnergyModel qas = new QuadraticEnergyModel();  
  
benchmark.runBenchmark(benchmarkDirectory, qas);
```

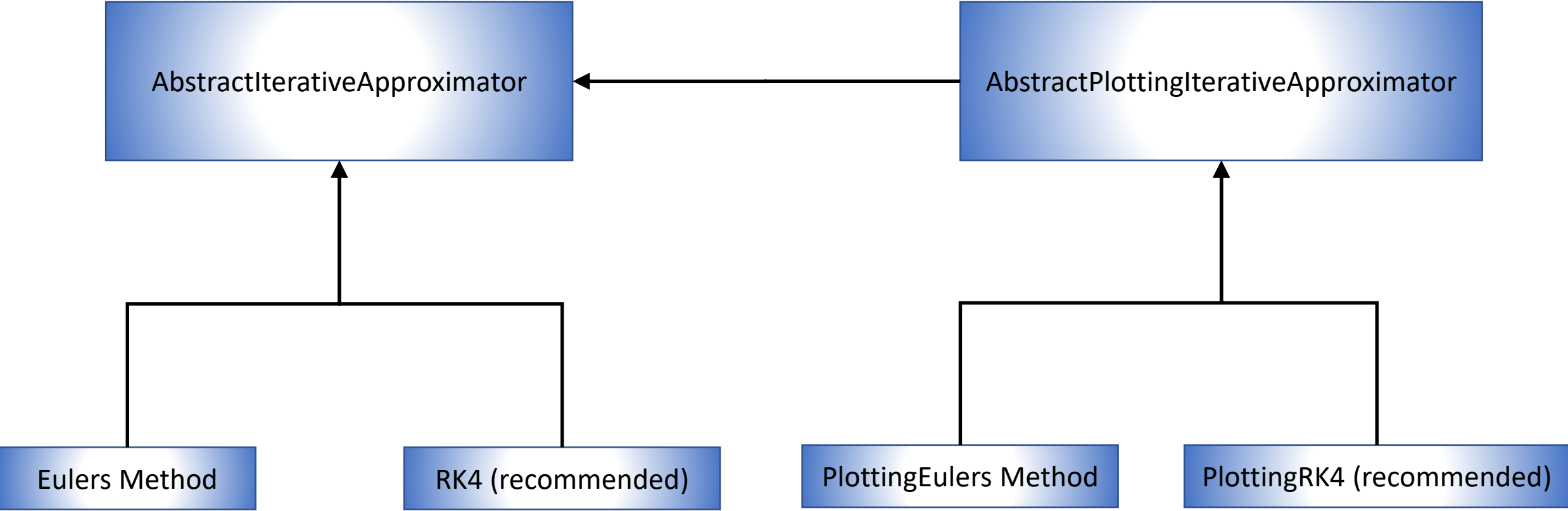
Perform Benchmarks



# Using and Adding Semantics



# Using and Adding Algorithms



# Documentation

- *Tutorial Article*

*Potyka, N. (2018). A Tutorial for Weighted Bipolar Argumentation with Continuous Dynamical Systems and the Java Library Attractor. 17th International Workshop on Non-Monotonic Reasoning (NMR 2018). 2018.*

- *Javadoc*

# Conclusions

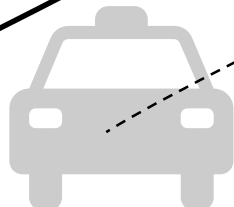
Application Examples

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Computational Questions

Attractor



# Weighted Bipolar Argumentation

- Computationally efficient tool for
  - *Social Media Analysis*
  - *Decision Problems*
  - *Explainable AI*
  
- *Some interesting research questions*
  - *convergence guarantees*
  - *learning BAGs from data*
  - *empirical investigation of semantical properties*
  - *new applications*
  - ...